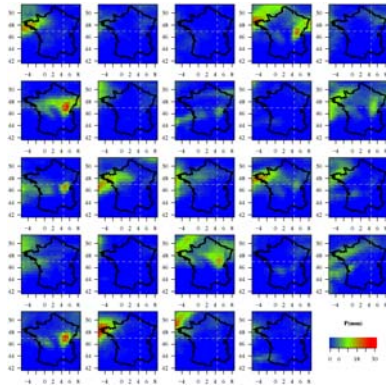


Impact of sample size on forecast verification scores and post processing parameters of hydrological ensemble predictions

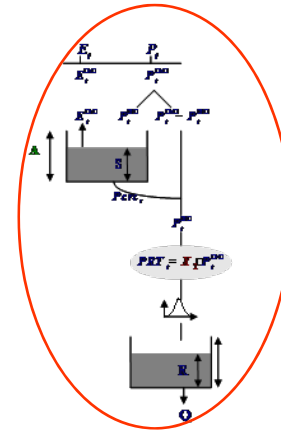
Ioanna Zalachori, Annie Randrianasolo, Maria-Helena Ramos

Ensemble Prediction Chain



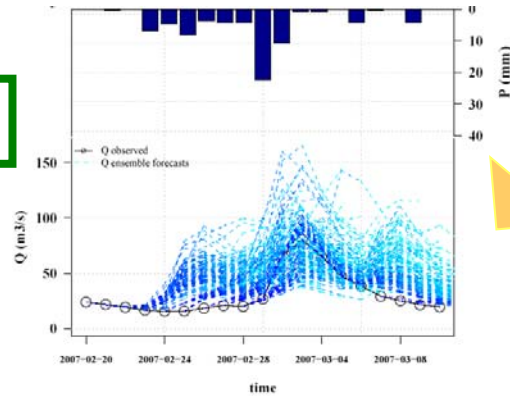
Meteorological
Ensemble
Forecasts

Hydrological
Ensemble
Forecasts



Hydrological
Model

Evaluation



Statistical
Processing

NO

GOOD?

YES

Hydrological
Applications



Sample size limitations

«The availability of a large number of past forecast-observation pairs <...> is a major factor of the success of the calibration technique <...>. »

Hagedorn et al., 2010

*** but, in practice, still « limited » (homogeneous) data series available :**

1) Case study for the floods in upper Mulde river basin (Dietrich et al., 2009)

« The time period covered by regular operation of the ensemble forecast systems is small (COSMO-LEPS operational from 2005, SRNWP-PEPS operational from 2004, COSMO-DE operational from 2007). »

2) Case study for the sub-catchment of the Alzette (Hostache et al., 2011)

« Between October 9, 2006 and February 11, 2009, the half degree medium range rainfall forecasts provided by the Global Forecasting System(GFS) atmospheric model (Kalnay et al., 1971; Kanamitsu et al., 1991) <...> are provided by the National Oceanic and Atmospheric Administration (NOAA) through a web page every 6 h, as 3 h cumulated rainfall forecasts for the next 7 days. »

3), 4), etc....



Our Aim

- *Data series available are limited, ok, but are they sufficient?*
- *Is there a « minimum required length » for our applications?*

**Aims of this study:*

evaluate the impact of sample size on forecast **verification** scores and **post processing** parameters of hydrological ensemble predictions

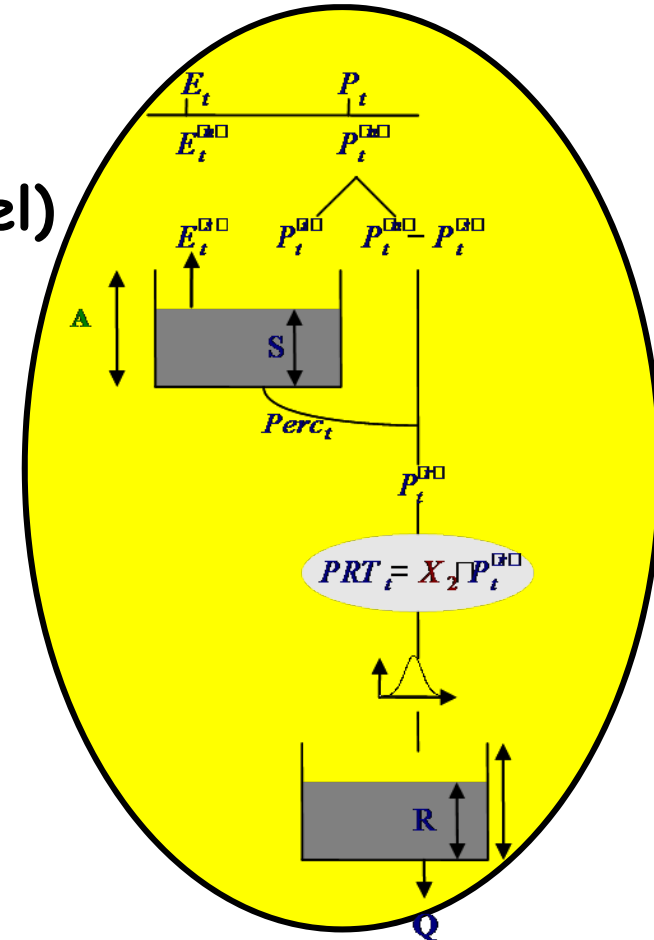
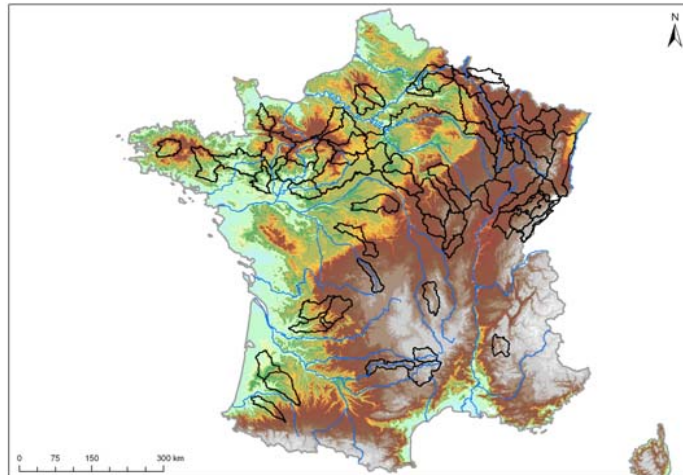
=> data & methods

=> results

=> discussion

Set of data

- 74 Catchments in France
 - A lumped hydrological model (GRP Model)
 - Daily Meteorological Forecasts: ECMWF
- from 03/2005 to 10/2008 => 42 mois



Methodology

- Moving window of different sizes

Length of period (months)	1	3	6	12	18	24	30	36	40	42
Number of periods	42	40	37	31	25	19	13	7	3	1

Evaluation

Statistical Processing

Impact over typical scores (raw forecasts)

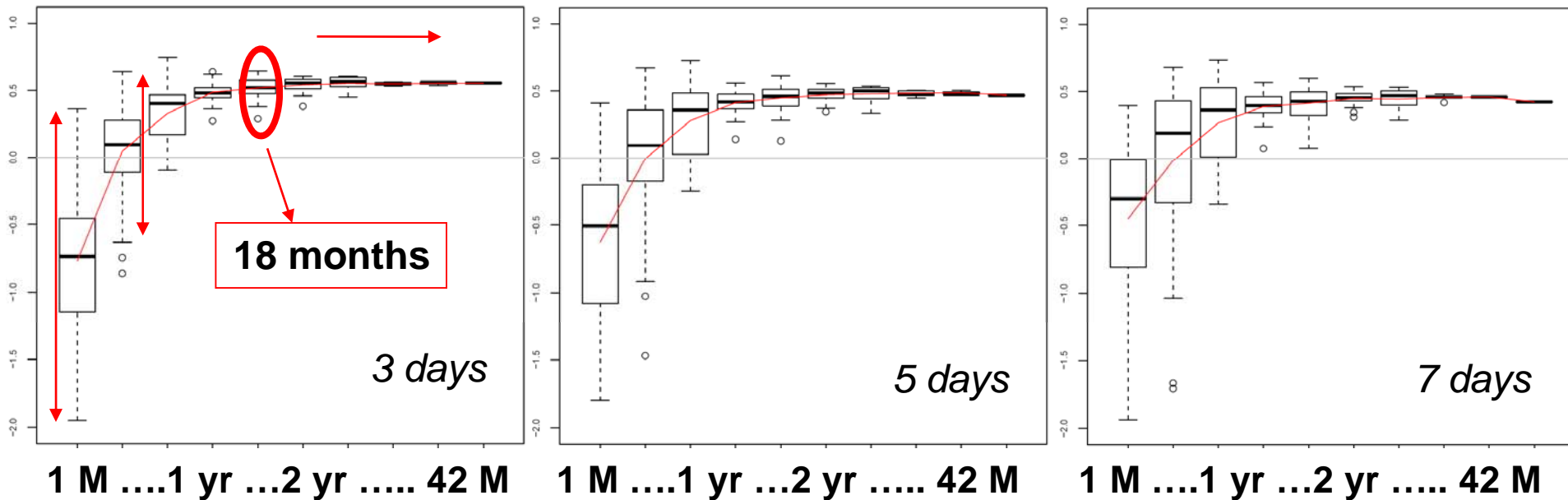
Impact over the parameters of the Best Member Method

Results : RPSS

$$RPSS = 1 - \frac{RPS}{RPS_{clim}}$$

* quantiles used to define the different bins calculated
for each period of verification

Ex: Catchment Yonne à Gurgy



=> Reaches a sill after *12-18 months*

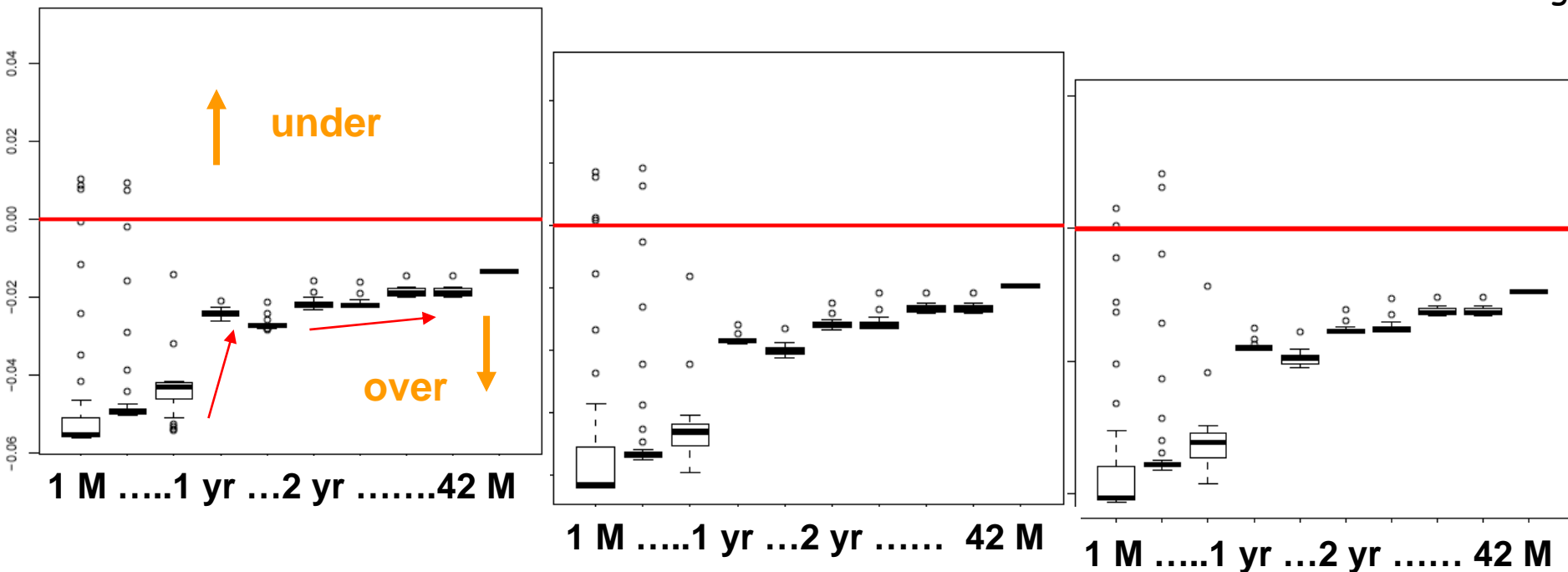
=> Similar behavior for all LT



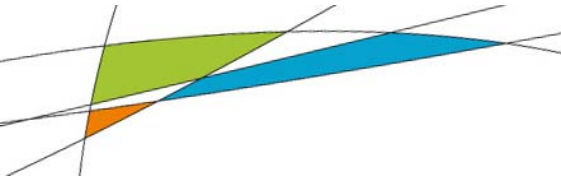
Rank Divergence Score

$$DS(o_t \| f_t) = \sum_{i=1}^n [o_t] \log \left(\frac{[o_t]}{[f_t]} \right)$$

Ex: Catchment Yonne à Gurgy

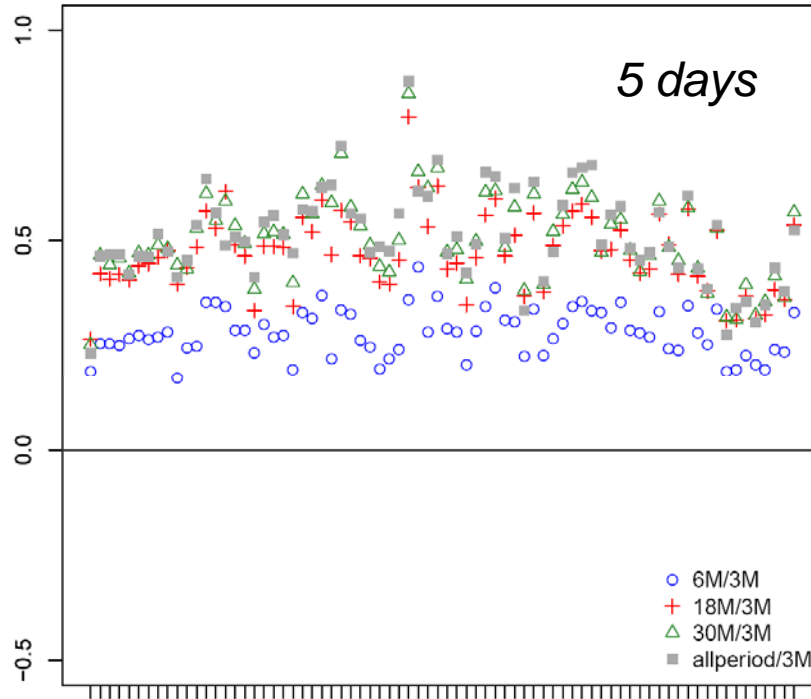


- => Strong decreases for the shorter lengths
- => Improves after **12-18 months**
- => Does not reach a sill at perfect score (=0)
- => Similar behavior for all LT

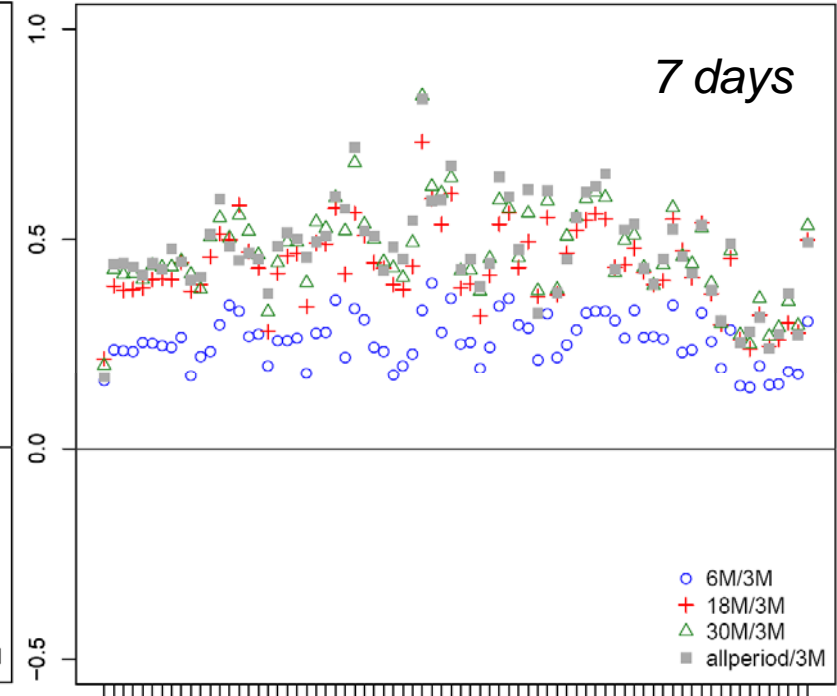


Gain

$$Gain_{X\text{mois}/3\text{months}} = 1 - \frac{RPS_{X\text{months}}}{RPS_{3\text{months}}}$$



each catchment



each catchment

=> Significant gain when length increases up to **18 months**
=> Similar behavior for all catchments

Methodology

- Moving window of different sizes

Length of period (months)	1	3	6	12	18	24	30	36	40	42
Number of periods	42	40	37	31	25	19	13	7	3	1

Evaluation

Impact over typical scores (raw forecasts)

Statistical Processing

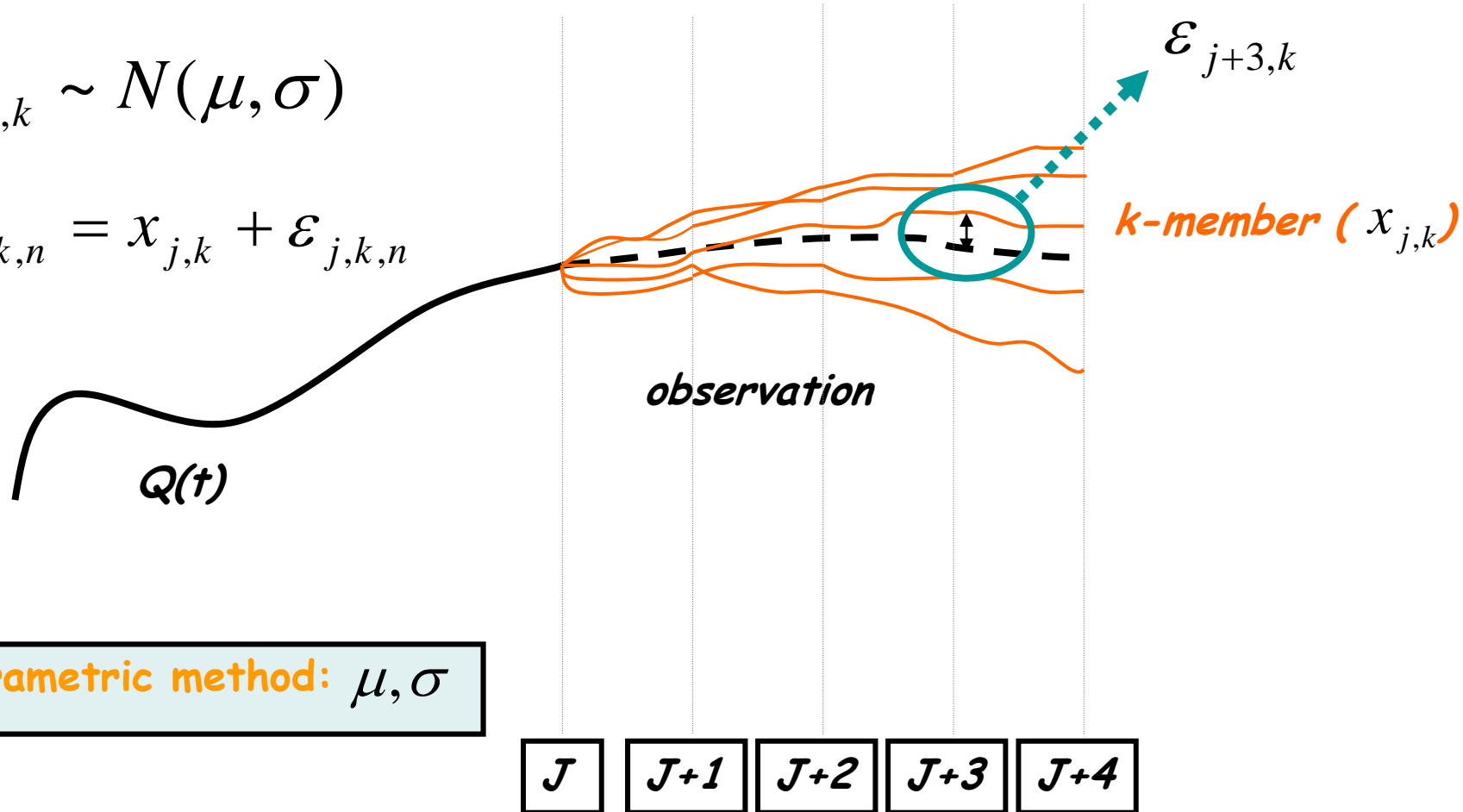
Impact over the parameters of the Best Member Method

Remembering: Best Member Method

Roulston *et al.*, (2003)

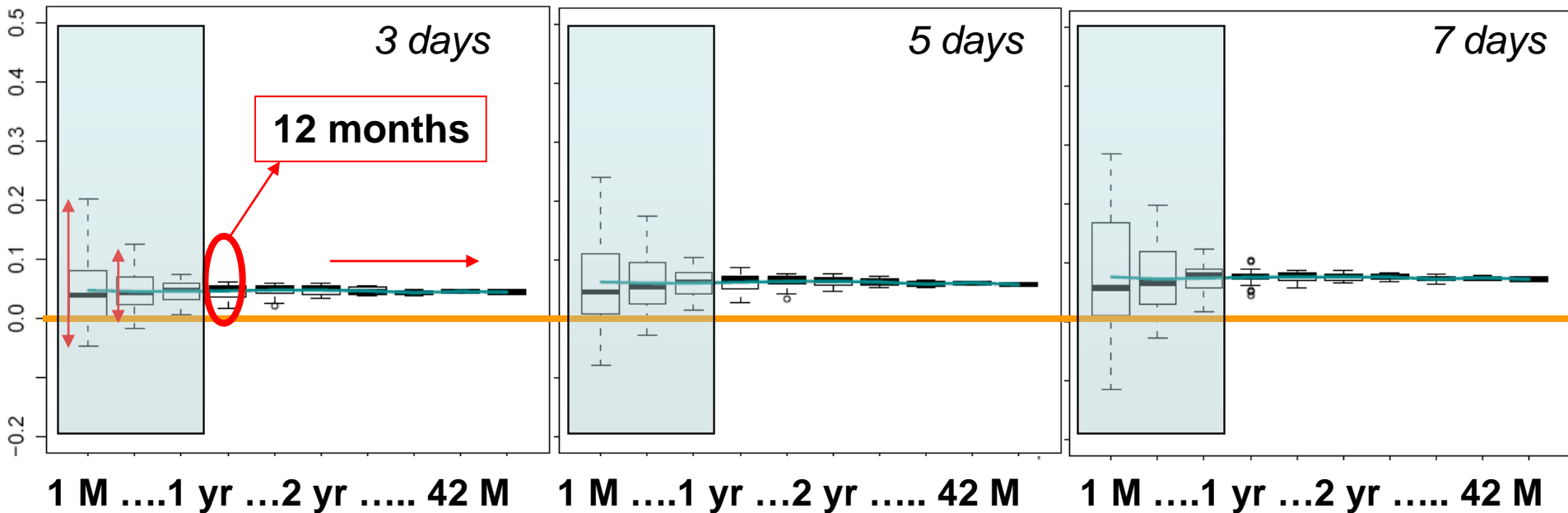
$$\varepsilon_{j,k} \sim N(\mu, \sigma)$$

$$y_{j,k,n} = x_{j,k} + \varepsilon_{j,k,n}$$



Parameter#1: μ (mean)

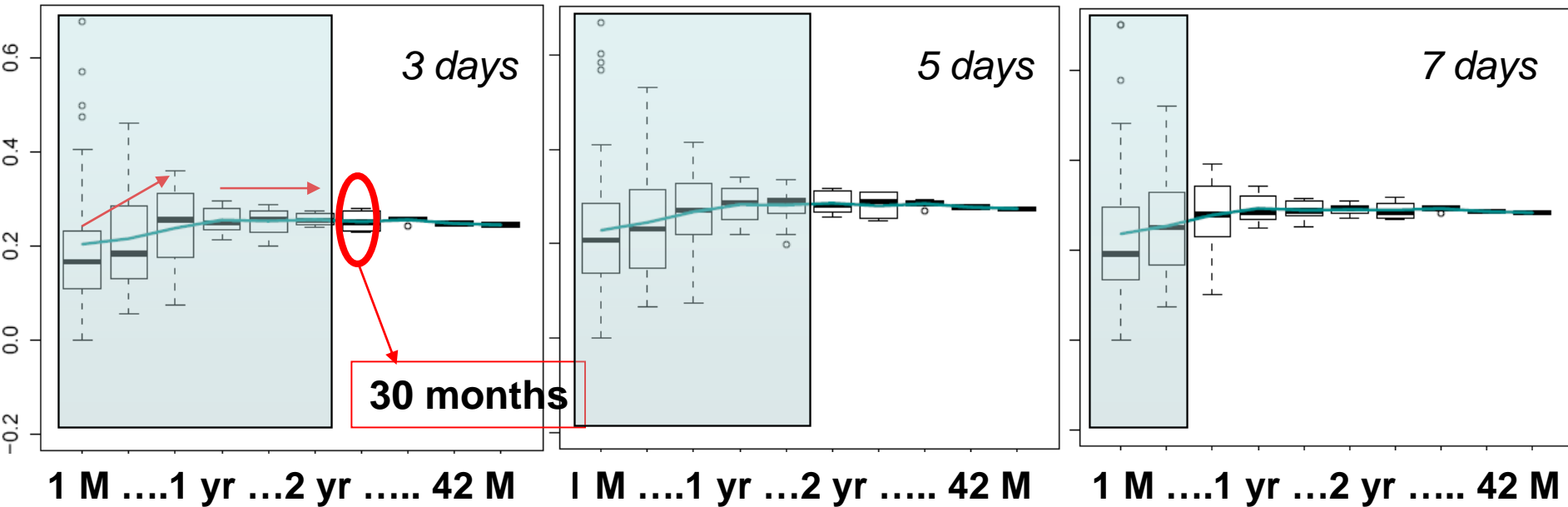
Ex: Catchment Yonne à Gurgy



=> From the *12-18 months** and on we obtain the final value of parameter#1

Parameter#2: σ (standard deviation)

Ex: Catchment Yonne à Gurgy



⇒ From the **30 months*** and on we obtain the final value of parameter#2

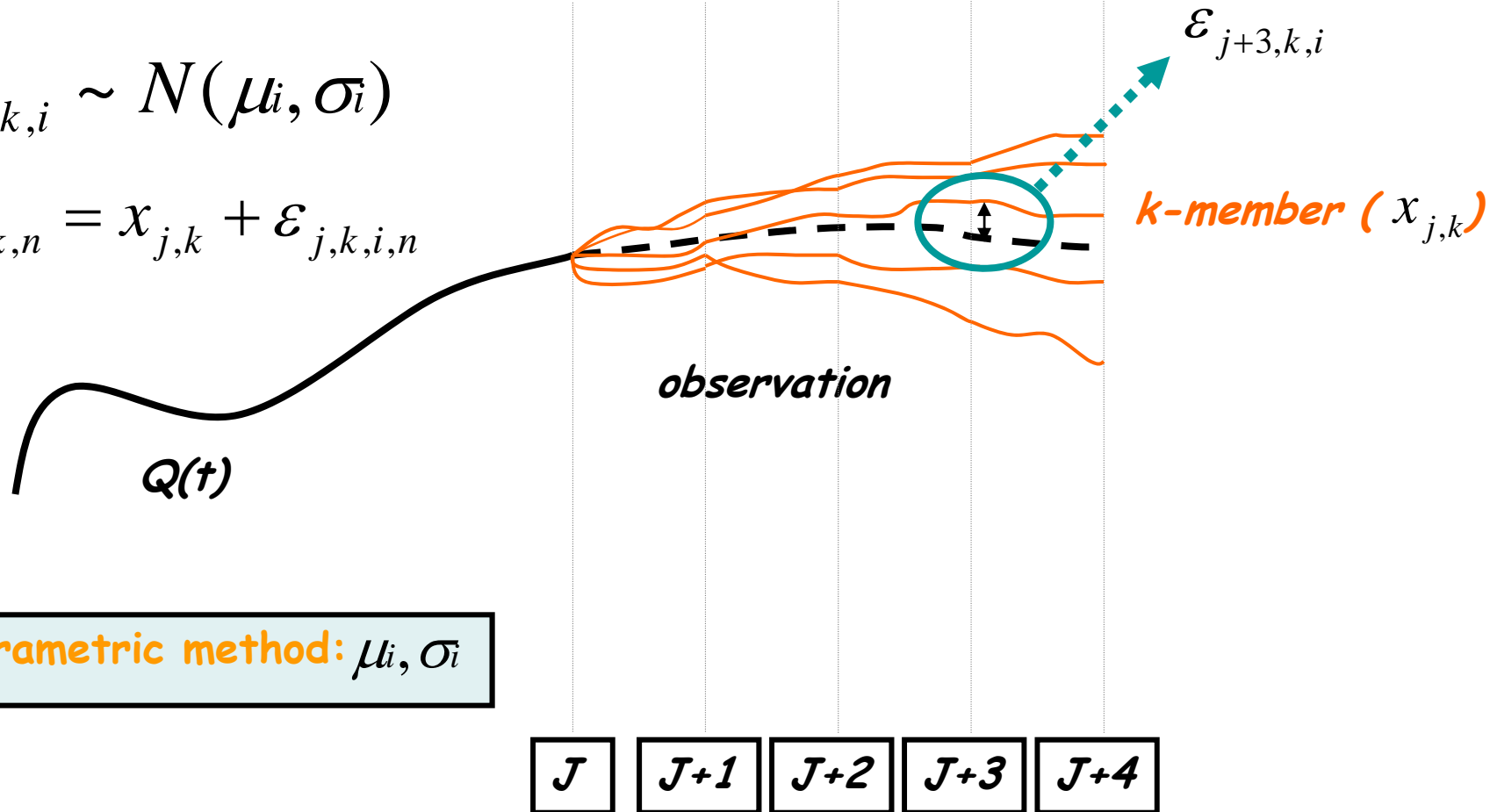
⇒ For longer ldt we converse faster to the final value

Discretization by classes of streamflow

5 Classes : quantiles 20%, 40%, 60%, 80%, 100% of $Q(t)$

$$\varepsilon_{j,k,i} \sim N(\mu_i, \sigma_i)$$

$$y_{j,k,n} = x_{j,k} + \varepsilon_{j,k,i,n}$$

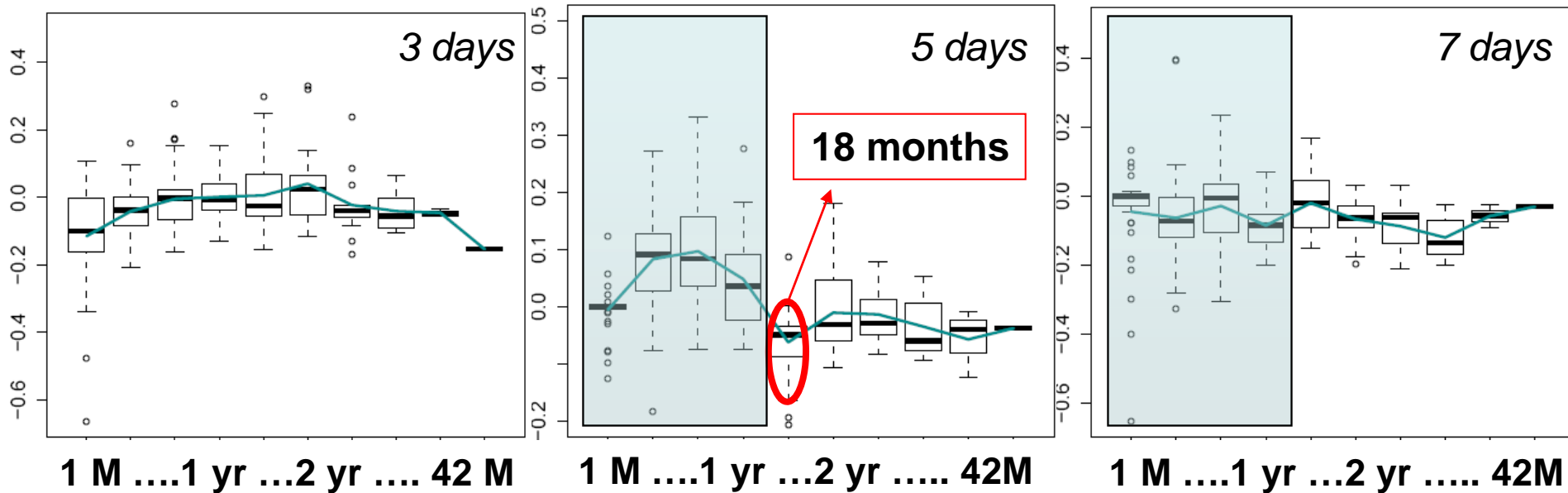


10-parametric method: μ_i, σ_i

Parameter#1: μ (mean)

* $Q < 20\%$

Ex: Catchment Yonne à Gurgy

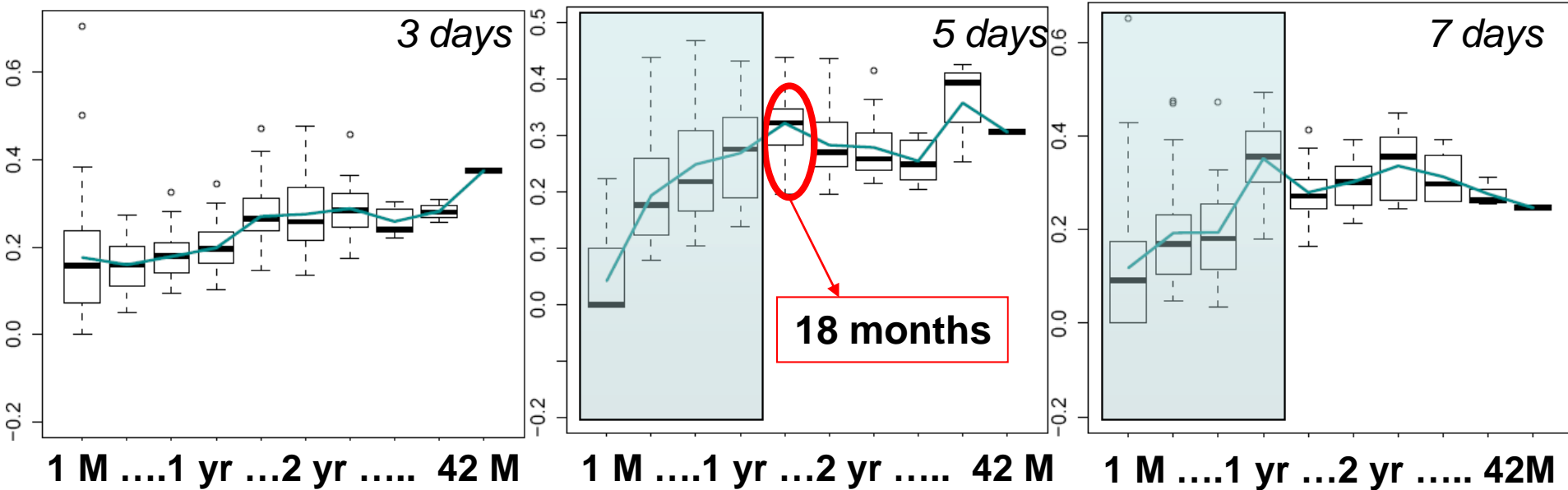


⇒ From the **18-24 months*** and on we obtain the final value of parameter#1

⇒ For the first ldt, larger uncertainty in parameter#1 values

Parameter#2: σ (standard deviation)

Ex: Catchment Yonne à Gurgy



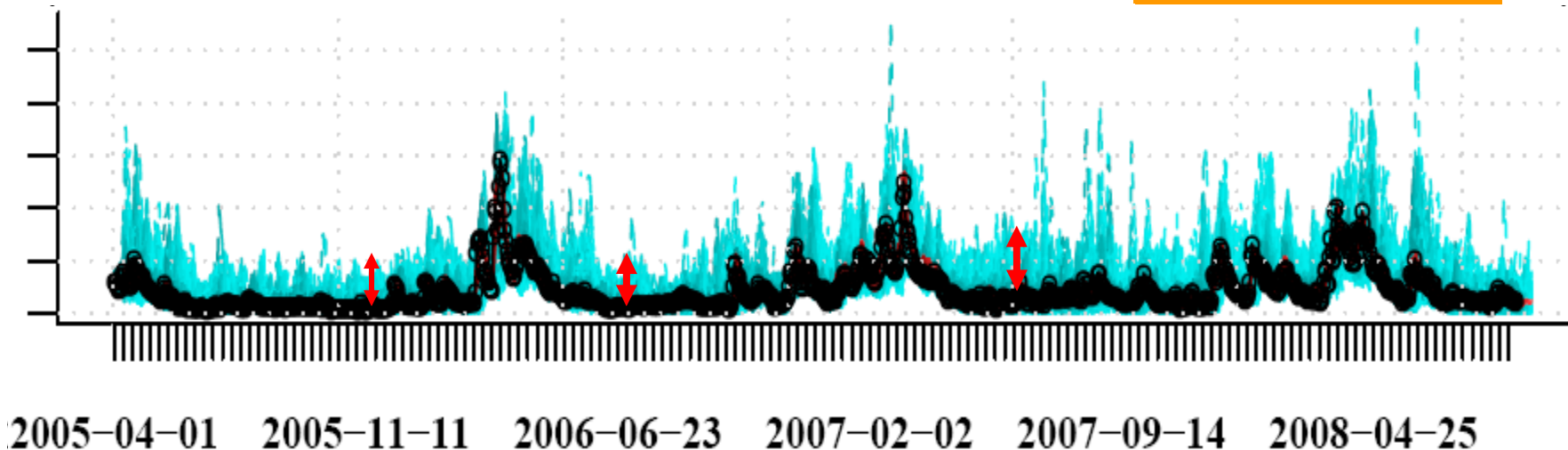
⇒ From the **18 months*** and on we obtain the final value of parameter#2

⇒ For the first ldt, larger uncertainty in parameter#2 values

And what do we gain by applying BMM?

Ex: Catchment Yonne à Gurgy

BMM discretized

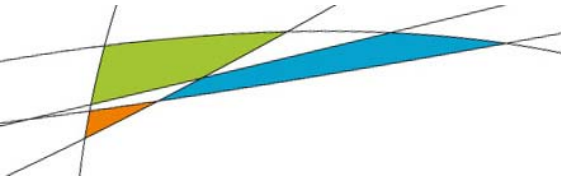


⇒ BMM (2003) introduces some extra uncertainty to the raw forecasts

⇒ By discretising we further increase the uncertainty **selectively** where the existing uncertainty isn't sufficient

Discussion

- Evaluation : a sample of pairs observations - forecasts period with a length greater than of 12-18 months is sufficient
 - Calibration:
 - *BMM (2003): a length of over 30 months is required for the estimation of both parameters
 - *BMM (discretized): even though 18 months for the majority of classes & ldt is sufficient, we will need the longer sample possible for the first ldt.
 - This behavior is consistent for all catchments
- ...To be continued



Thank you!