

Pagano

Wang



Shrestha Robertson

Recent
Delft-ian



www.csiro.au

Ensemble dressing for hydrological applications

Thomas Pagano, presenting, Durga Lal Shrestha, QJ Wang, David Robertson



Australian Government
Bureau of Meteorology



Water Information
DATA › INFORMATION › INSIGHT

National Research
FLAGSHIPS
Water for a Healthy Country





Outline

Ensemble dressing concepts
Evaluation methods
Retrospective ensemble datasets
Performance in Australia

Future opportunities



Hawthorne, Pagano, Hapuarachchi, Pokhrel, Lim, Ward, S Wang, QJ Wang, Robertson, Shrestha

Short and long-term forecasting



Australian Government
Bureau of Meteorology

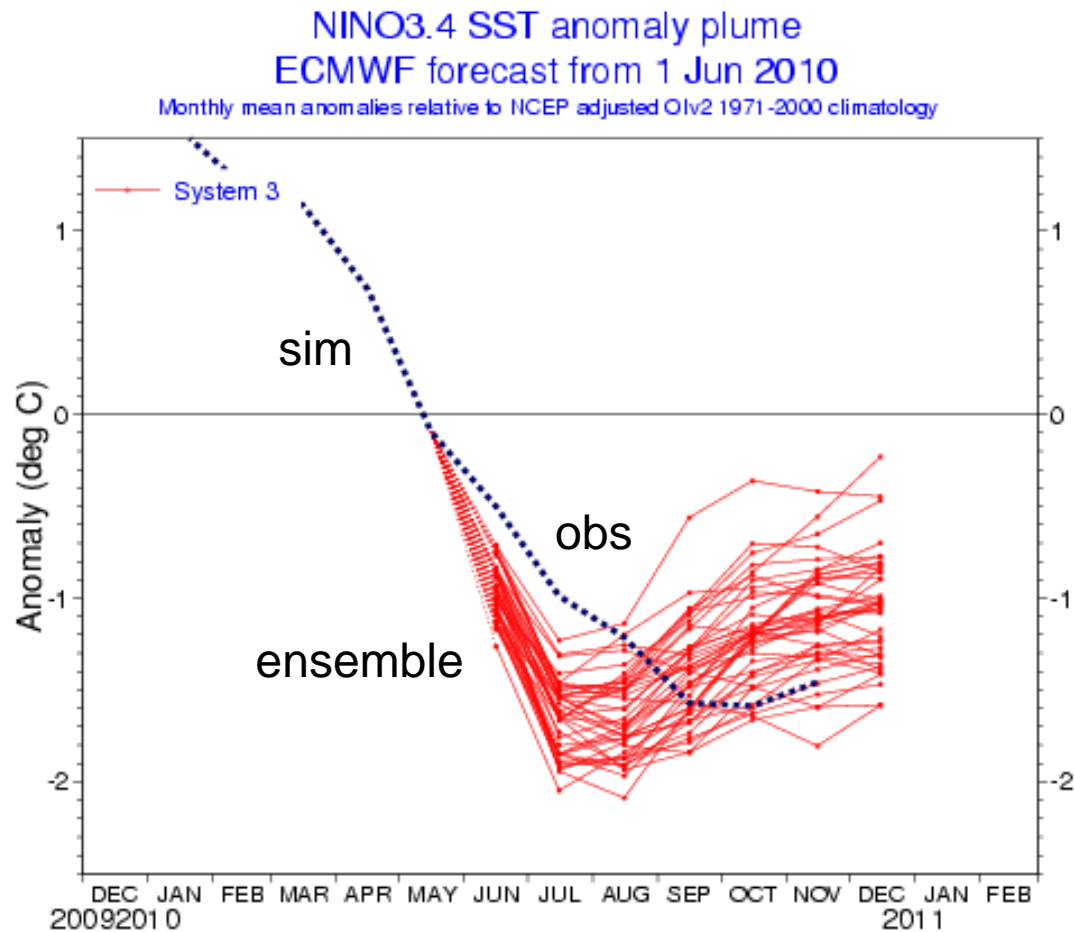


Water Information
DATA • INFORMATION • INSIGHT

National Research
FLAGSHIPS



Under-dispersion is common and a problem



Forecast issue date: 15 Jun 2010

ECMWF



Australian Government
Bureau of Meteorology

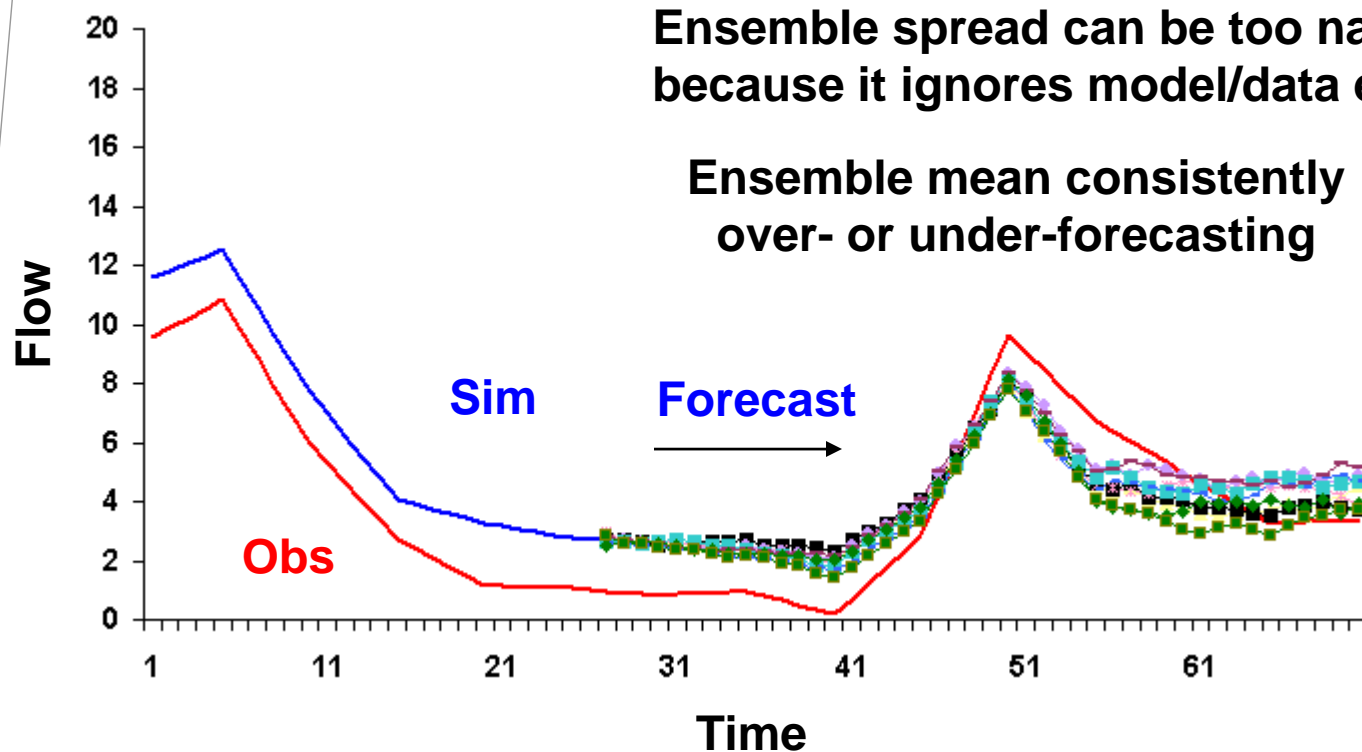


Water Information
DATA • INFORMATION • INSIGHT

National Research
FLAGSHIPS



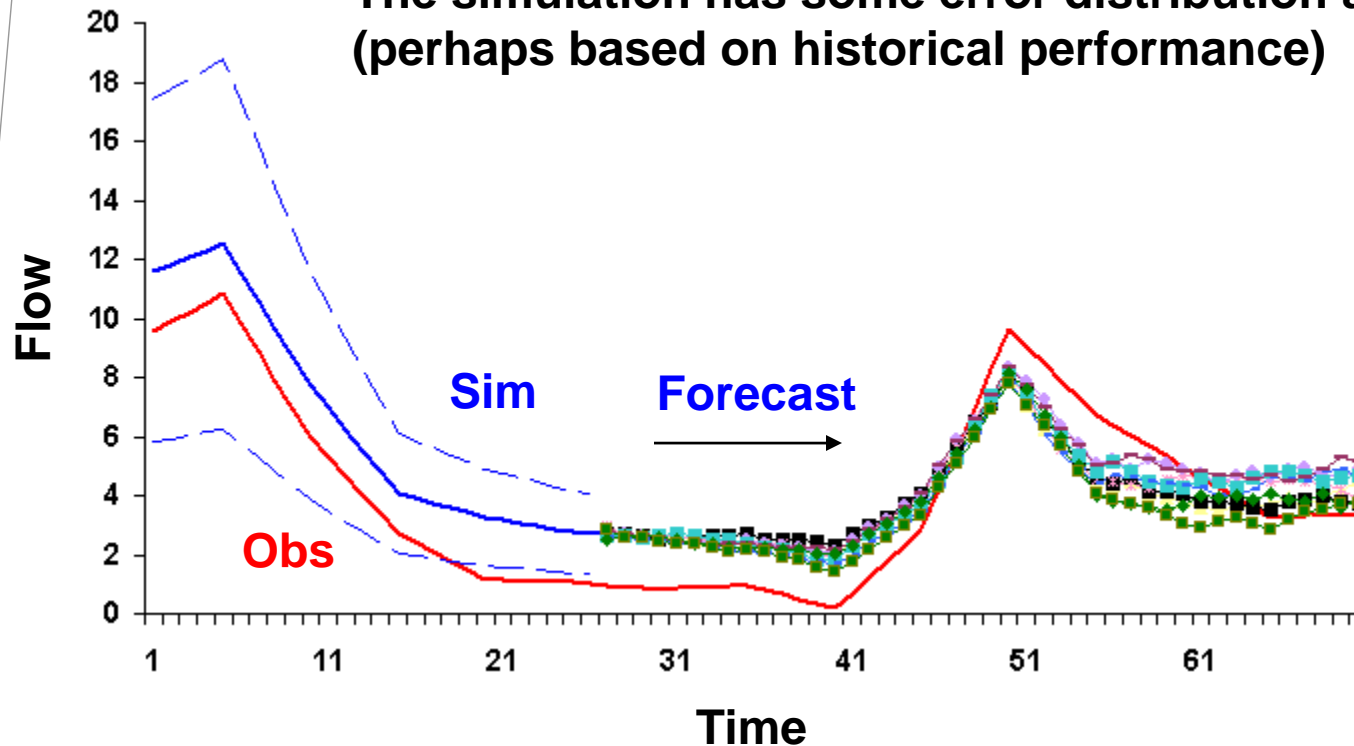
Ensemble dressing



Ensembles
(based on
future
rainfall
scenarios)

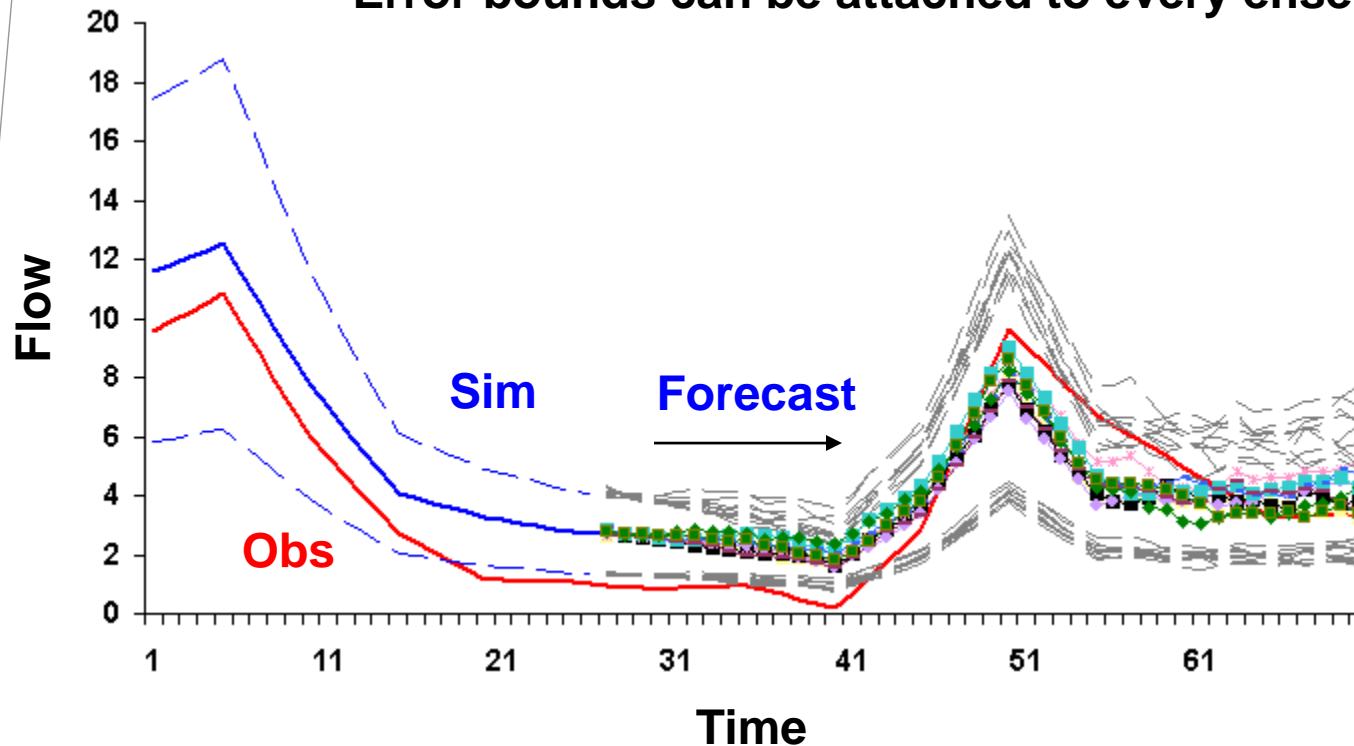
Ensemble dressing

The simulation has some error distribution around it (perhaps based on historical performance)



Ensemble dressing

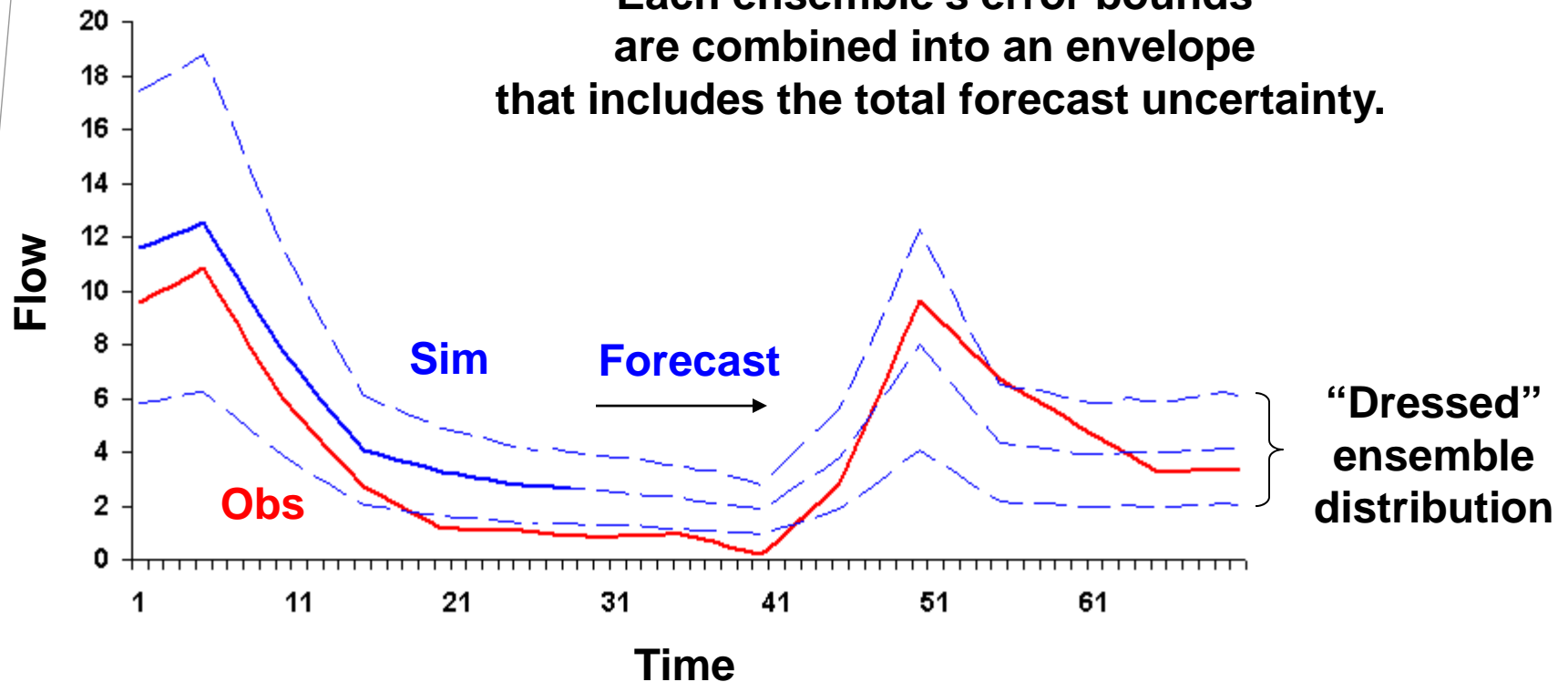
Error bounds can be attached to every ensemble



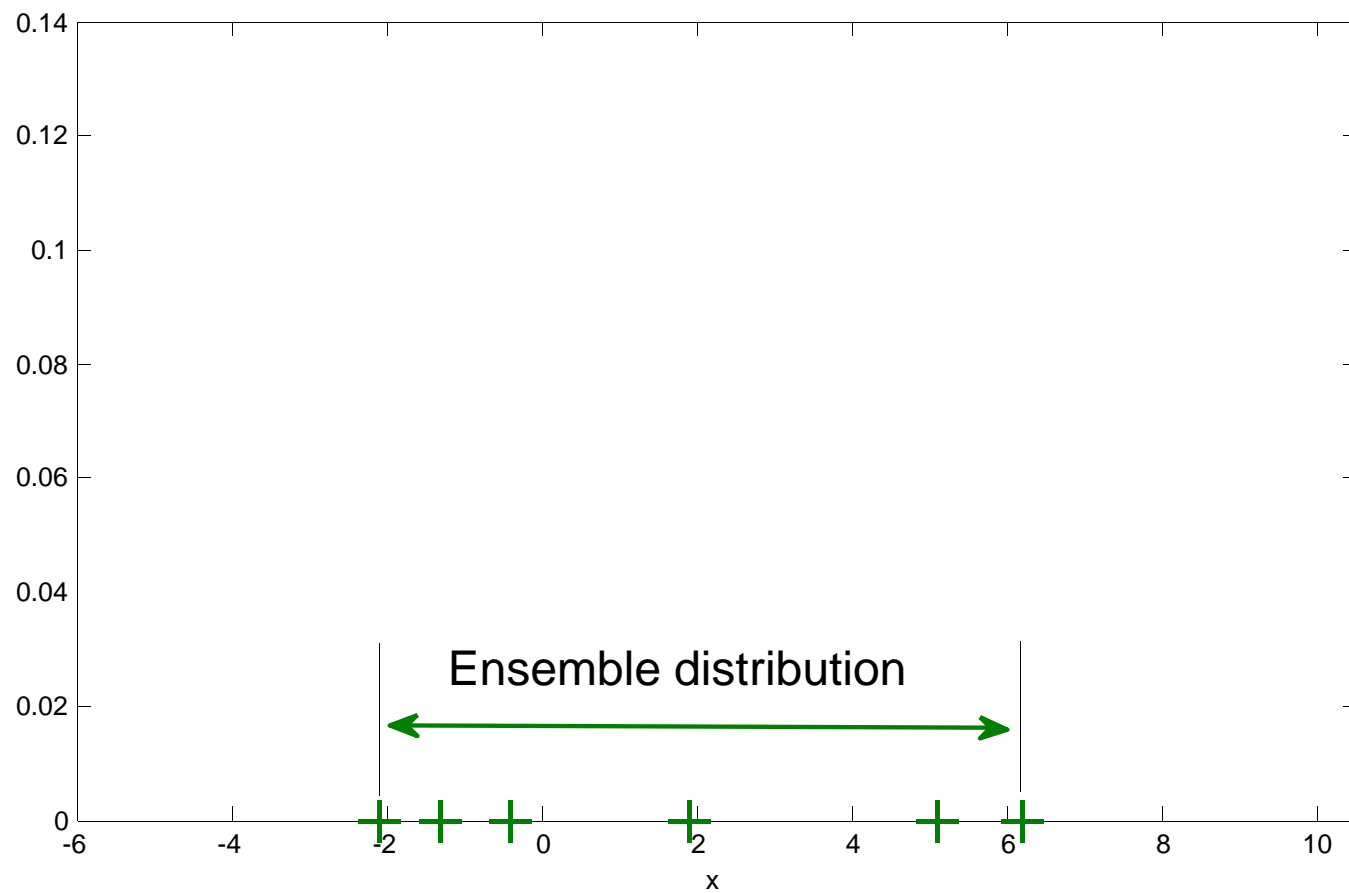
Ensembles
(based on
future
rainfall
scenarios)

Ensemble dressing

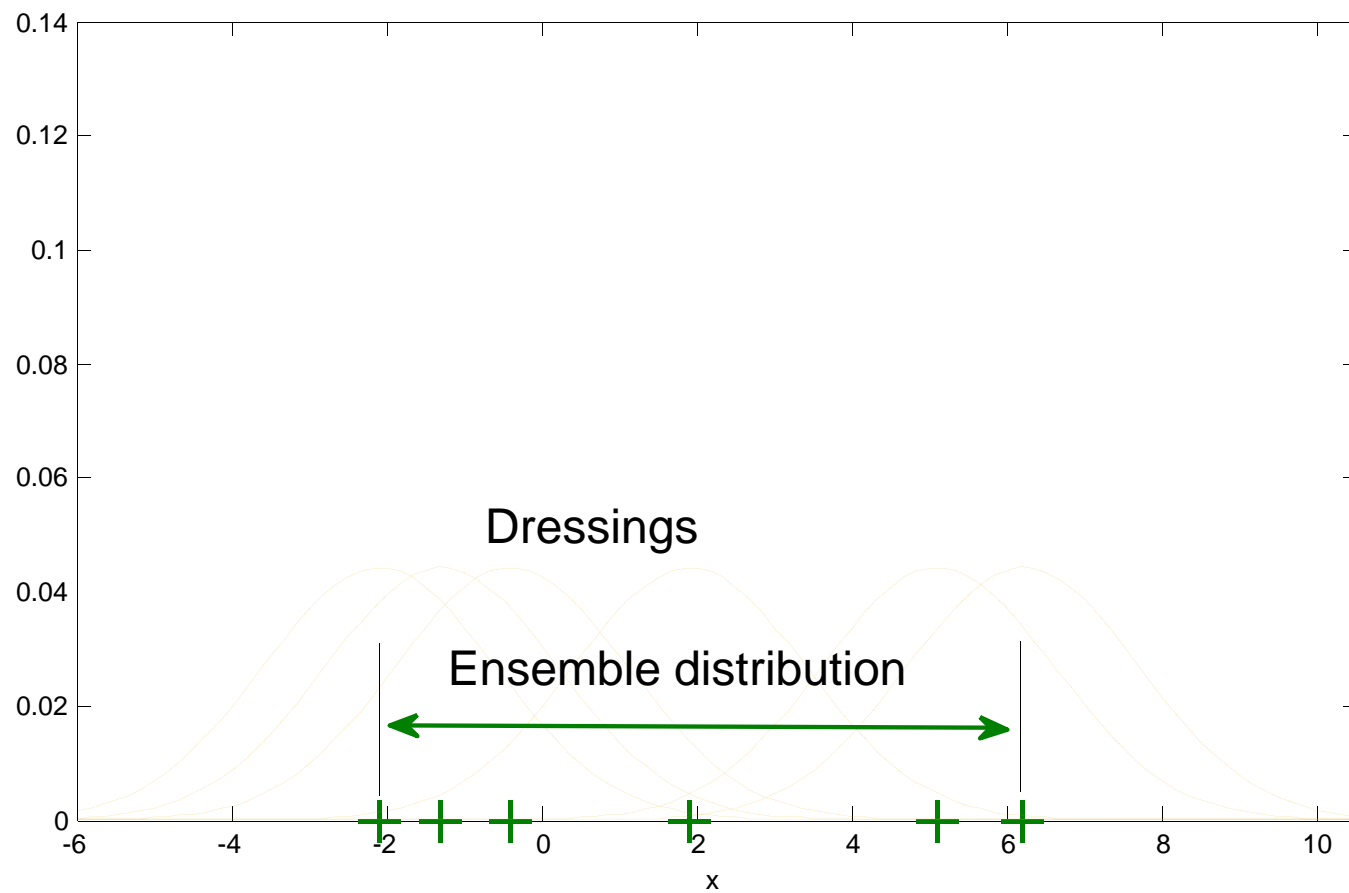
Each ensemble's error bounds are combined into an envelope that includes the total forecast uncertainty.



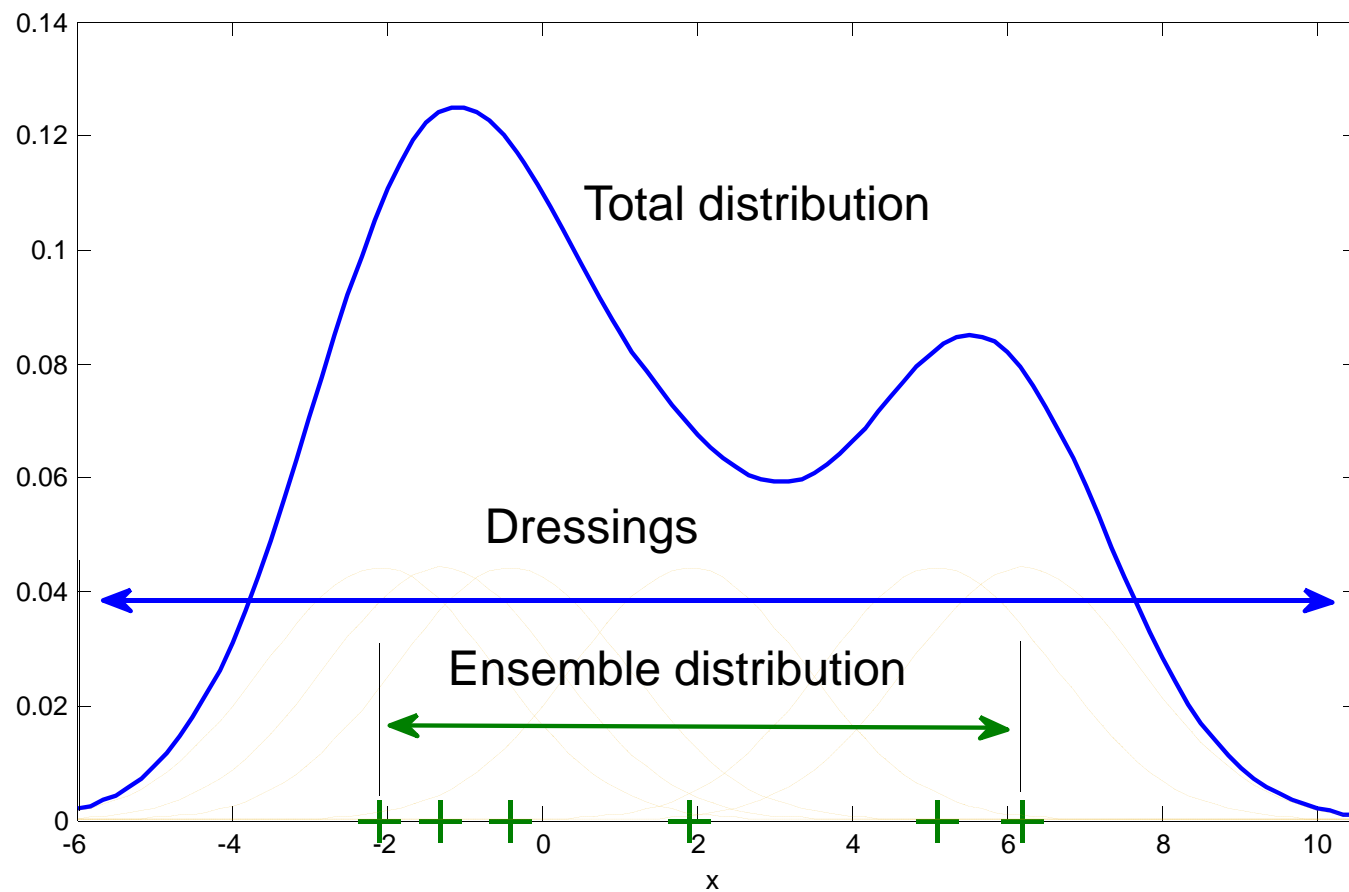
Density function



Density function



Density function



But what should this dressing/error distribution be?

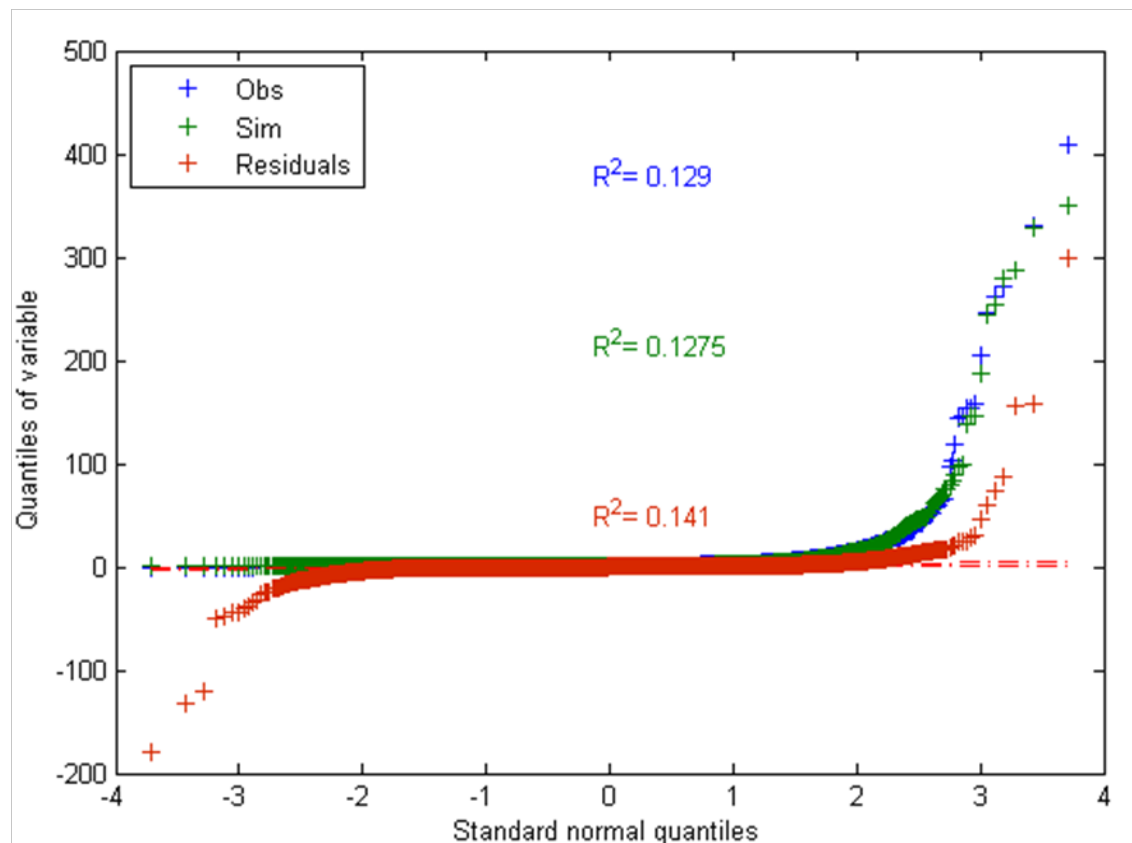
Normal (Gaussian) error is ideal, but hydrologic timeseries are often:

Heteroschedastic

Autocorrelated

Non-Normal skew/kurtosis

Non-stationary?



Simulated, Observed
and Residuals all highly
non-Normally distributed

Log-sinh data transformation

Logsinh transformation¹

$$z = 1/b \log(\sinh(a+by))$$

A and B are parameters that control strength/shape of transformation

Parameter estimation

MLE estimation

$$z = \text{logsinh}(y)$$

$$z_{\text{sim}} = \text{logsinh}(y_{\text{sim}})$$

$$p(z) \cong N(\mu + z_{\text{sim}}, \sigma)$$

$$P(y) = J_{zy} p(z) \\ = dz/dy p(z)$$

Likelihood function

$$L(a, b, \mu, \sigma) = \prod_{i=1}^n p(y_i) = \prod_{i=1}^n \frac{dz}{dy} p(z)_i$$

$$J_{zy} = \text{coth}(a+by)$$

Raw ensembles



Transform

Calculate residuals

Attach uncertainty

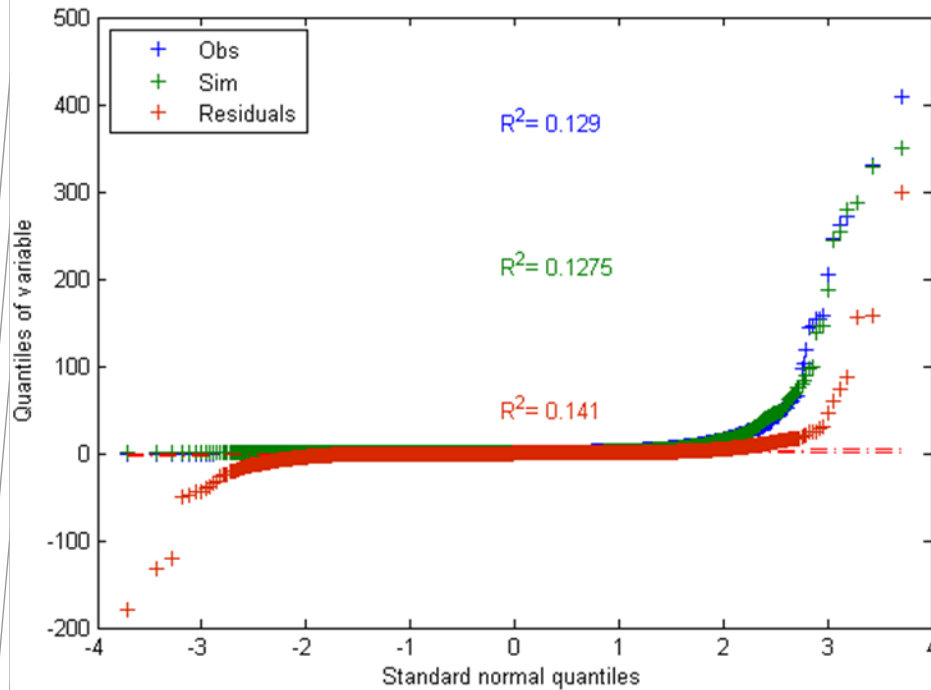


Un-transform

¹Wang, QJ, Shrestha, DL, Robertson, DE, Pokhrel, P. A log-sinh transformation for data normalisation and variance stabilisation, (in preparation)

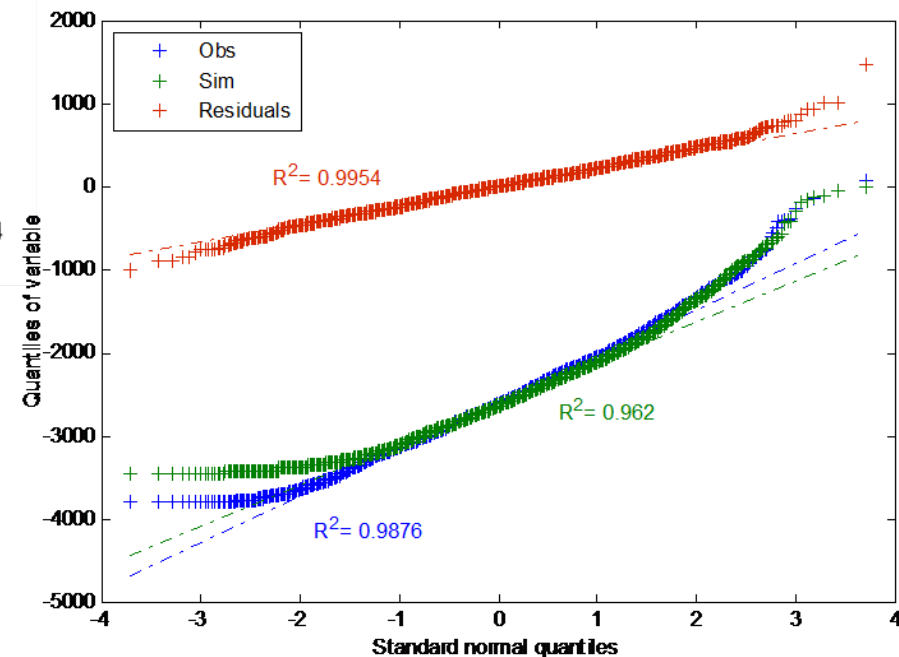


QQ plot

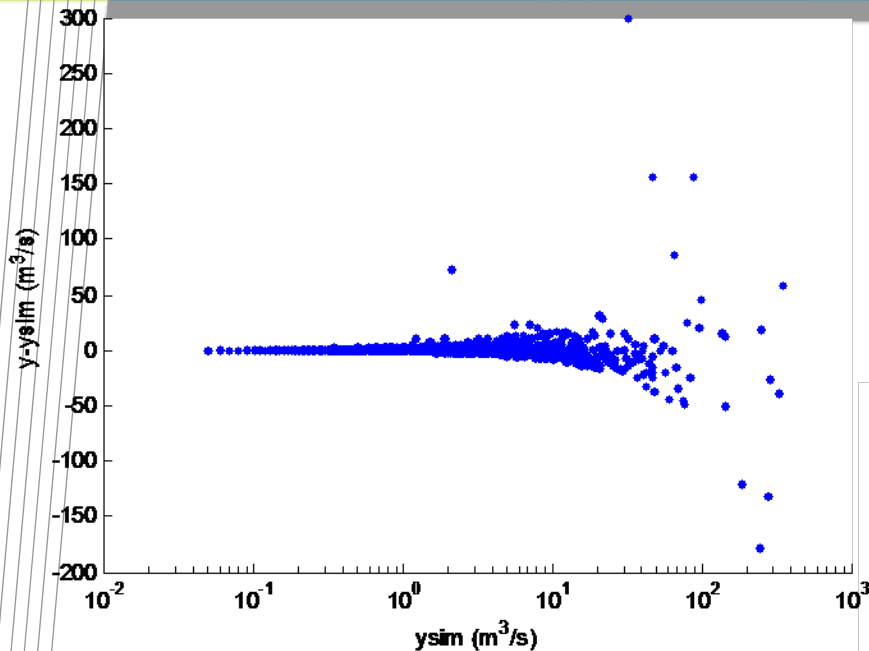


Simulated, Observed
and Residuals all highly
non-Normally distributed

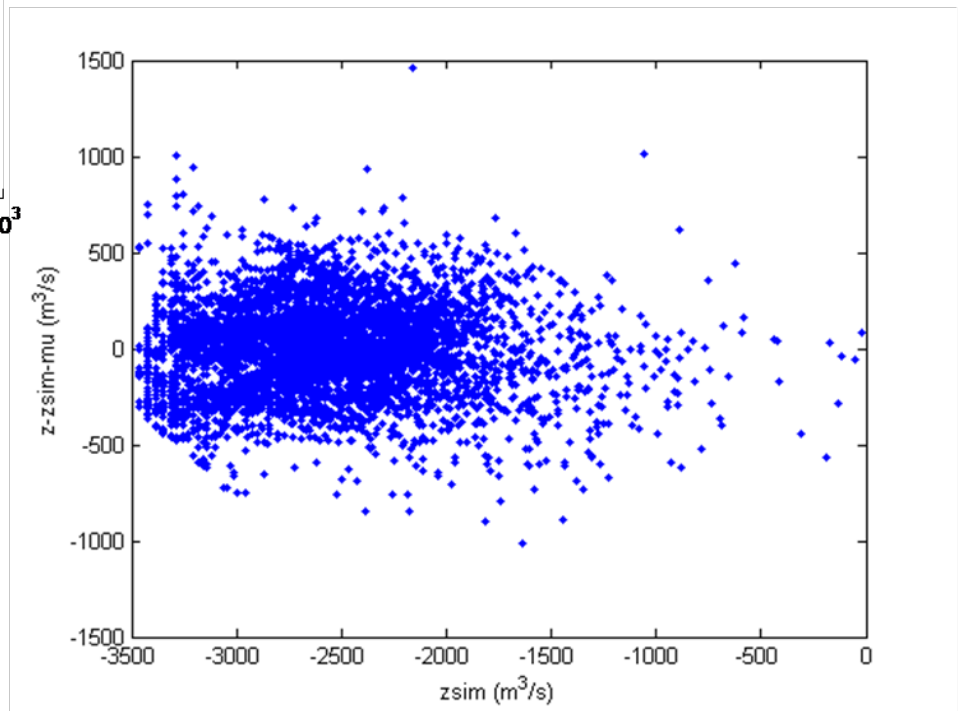
Transformed variables non-Normal,
but the residuals are.



Residual plot



Transformed residuals' variance
roughly constant

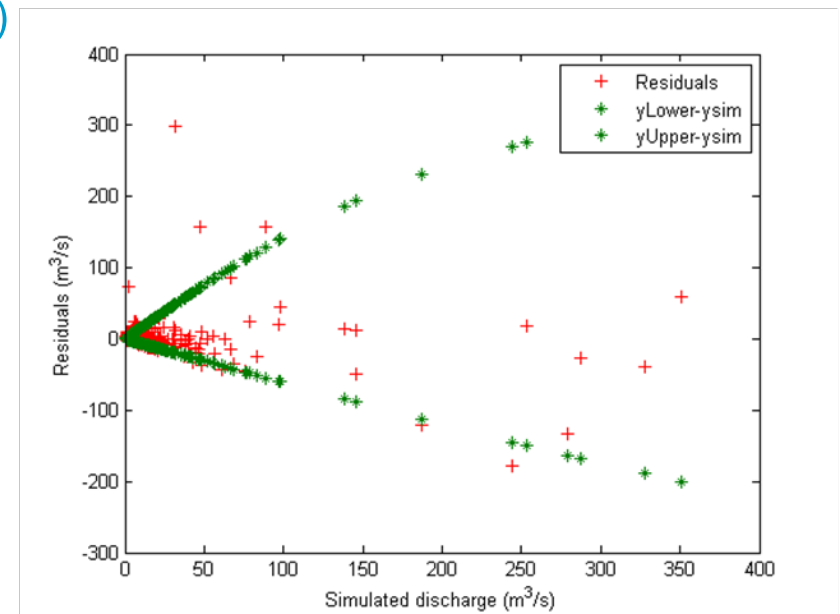
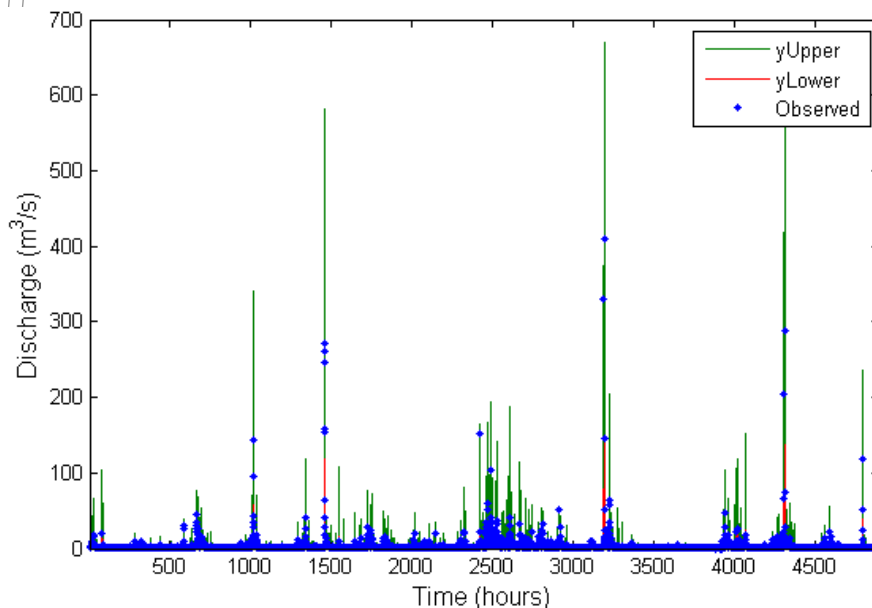


Raw residuals' variance
depends on forecast magnitude



Uncertainty estimation

- $y_L(\alpha) = \text{logsinh}^{-1}(N^{-1}((1-\alpha)/2, \mu+z_{\text{sim}}, \sigma))$
- $y_U(\alpha) = \text{logsinh}^{-1}(N^{-1}((1+\alpha)/2, \mu+z_{\text{sim}}, \sigma))$
- $y_m = \text{logsinh}^{-1}(N^{-1}(0.5, \mu+z_{\text{sim}}, \sigma))$



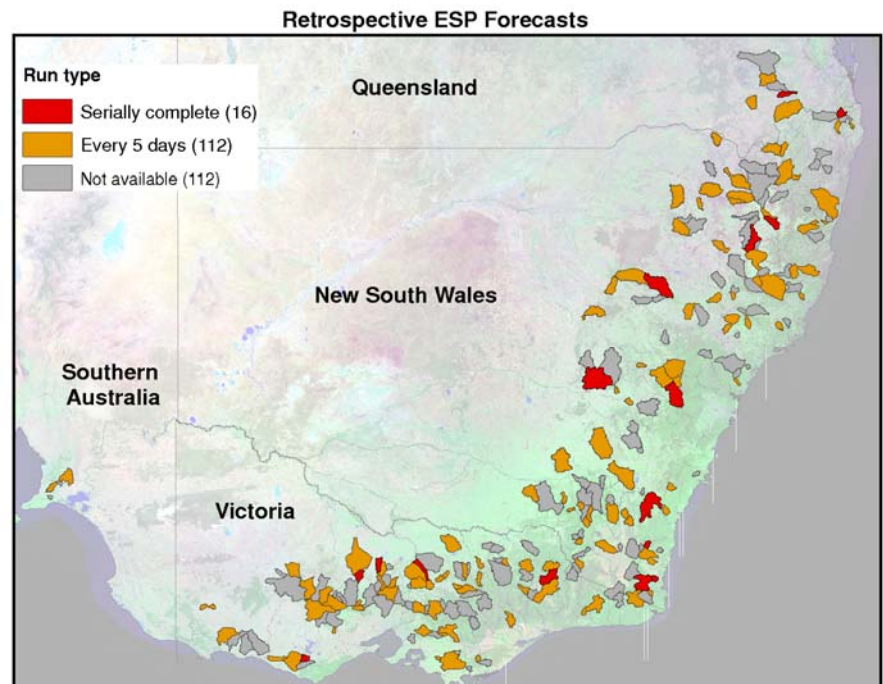
Error distribution width asymptotes with forecast size (which is good).

Application

- 16 Australian catchments with a serially complete set of retrospective daily ensemble forecasts (starting from 1979-2006).
10,197 forecasts per catchment, each with 33 members.
- Additional 112 catchments to have forecast issue dates staggered every 5 days (2,043 start dates/site)
- GR4J model
- Ensemble forecasts using ESP

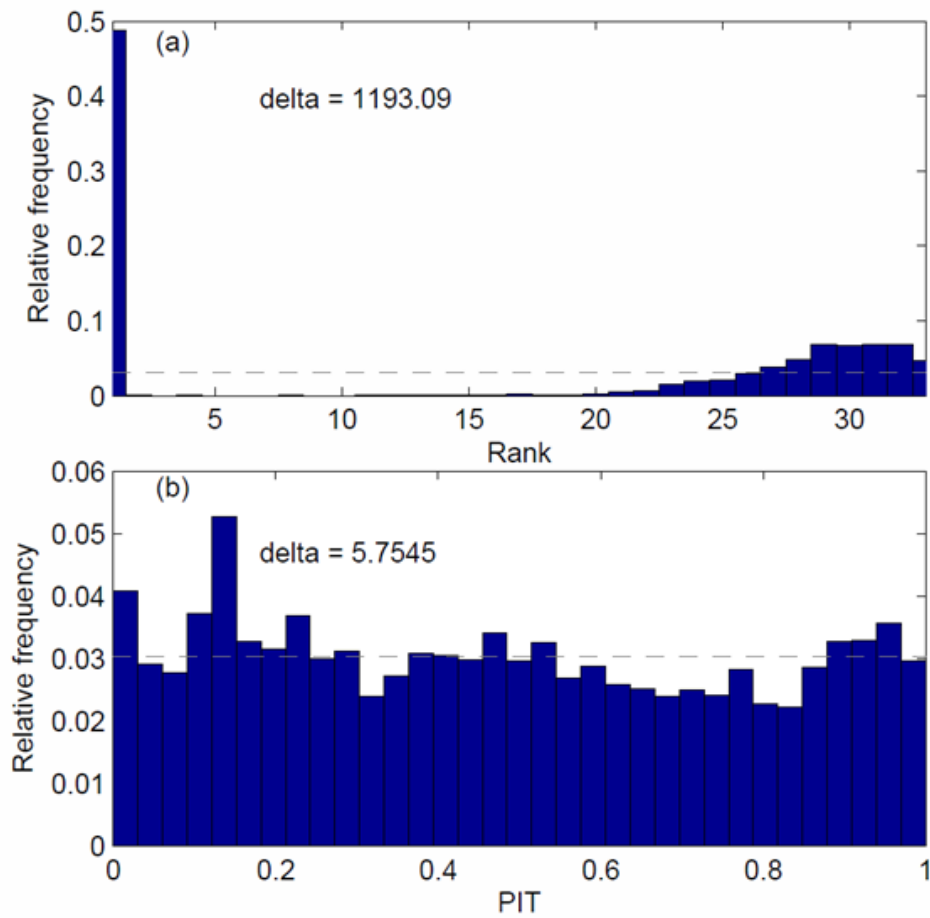
Half of record for calibration of GR4J and ensemble dressing parameters. Half for validation.

Run using Condor Cluster

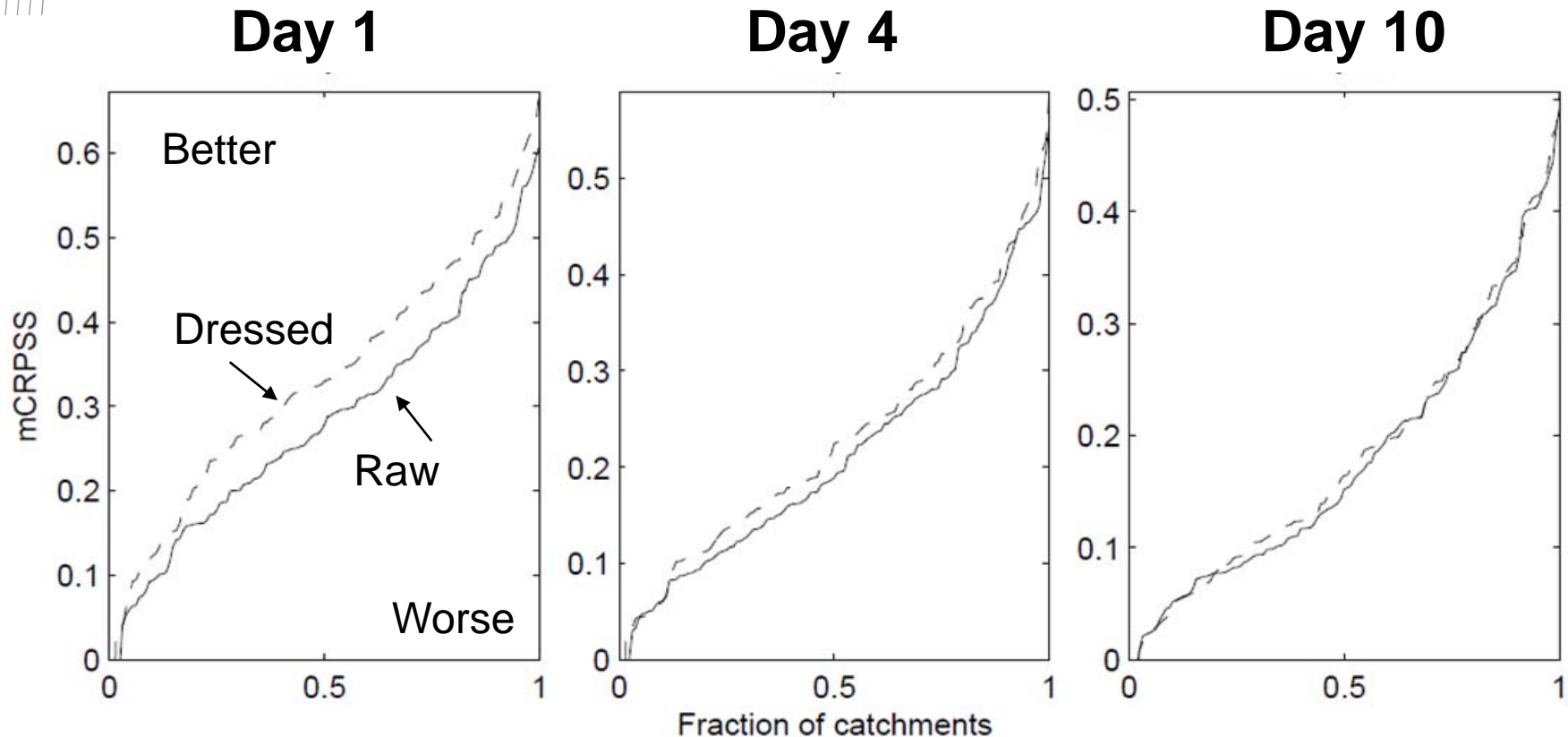


Verification

- Root mean squared error of ensemble mean (not shown)
- Continuous ranked probability skill score
- Delta score (flatness of ranked histogram, Wilson et al 2007)

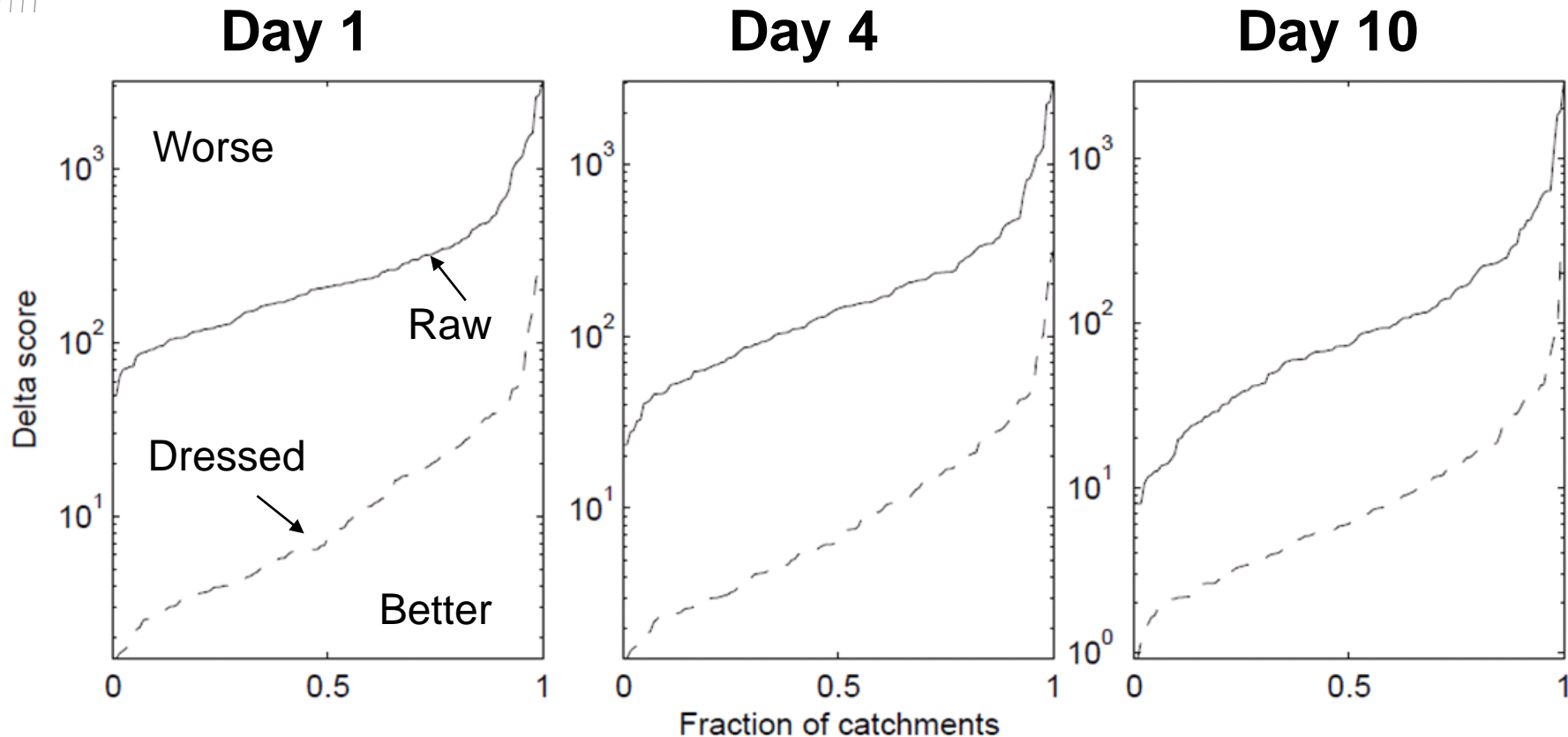


Cont. Ranked Prob Skill Score vs leadtime



Most benefits at short leadtimes when climate uncertainty is small

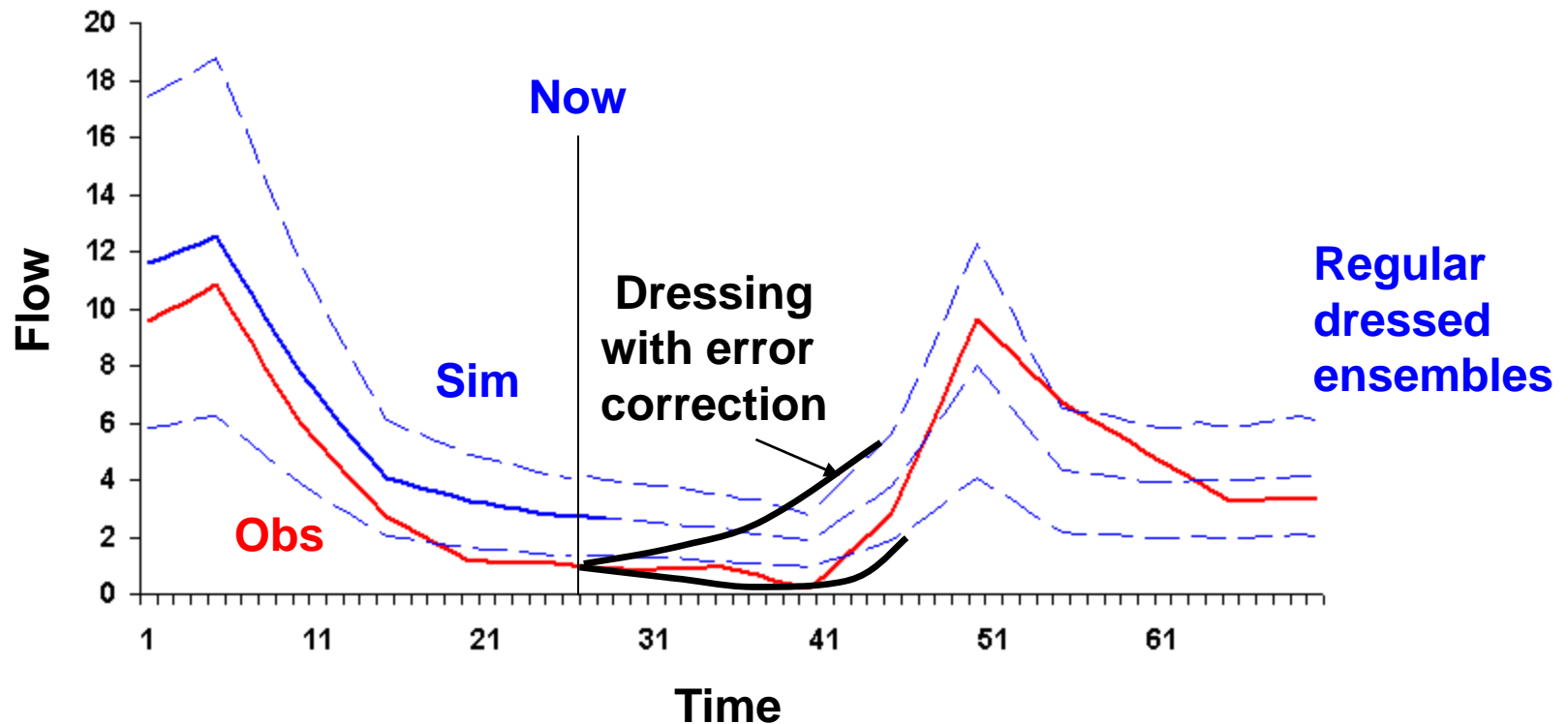
Delta score (rank histogram flatness) vs leadtime



Raw ESP rank histograms very non-flat. Dressing helps a lot.

Possible formal expansions

Consider error autocorrelation, blend with error correction.



Limitations of what we did

Model error is only based on magnitude, not timing or regime.

Does not quantify chance of zero flow.

Ensemble spaghetti is lost (forever?).

This all may have a different name elsewhere.

This is the least possible effort to try and achieve our objectives.

Limitations of what we did

Model error is only based on magnitude, not timing or regime.

Does not quantify chance of zero flow.

Ensemble spaghetti is lost (forever?).

This all may have a different name elsewhere.

This is the least possible effort to try and achieve our objectives.

HEPEX runs we performed

Ensemble post-processing

GFS and Climatology

Both catchments

Calibration options 1 – 4

2,5,10,15 and 30 day targets

No data assimilation

My future

Travelling for a year (Aug 2011-12) to meet other researchers and forecasters. I am hoping to write a book for the public about the human side of river forecasting. I also aim to meet strange rivers, hydrologic oddities and impressive structures.

**Contact me if you
have suggestions!**

Thomas.Pagano@csiro.au

tompagano.blogspot.com



END



Australian Government
Bureau of Meteorology

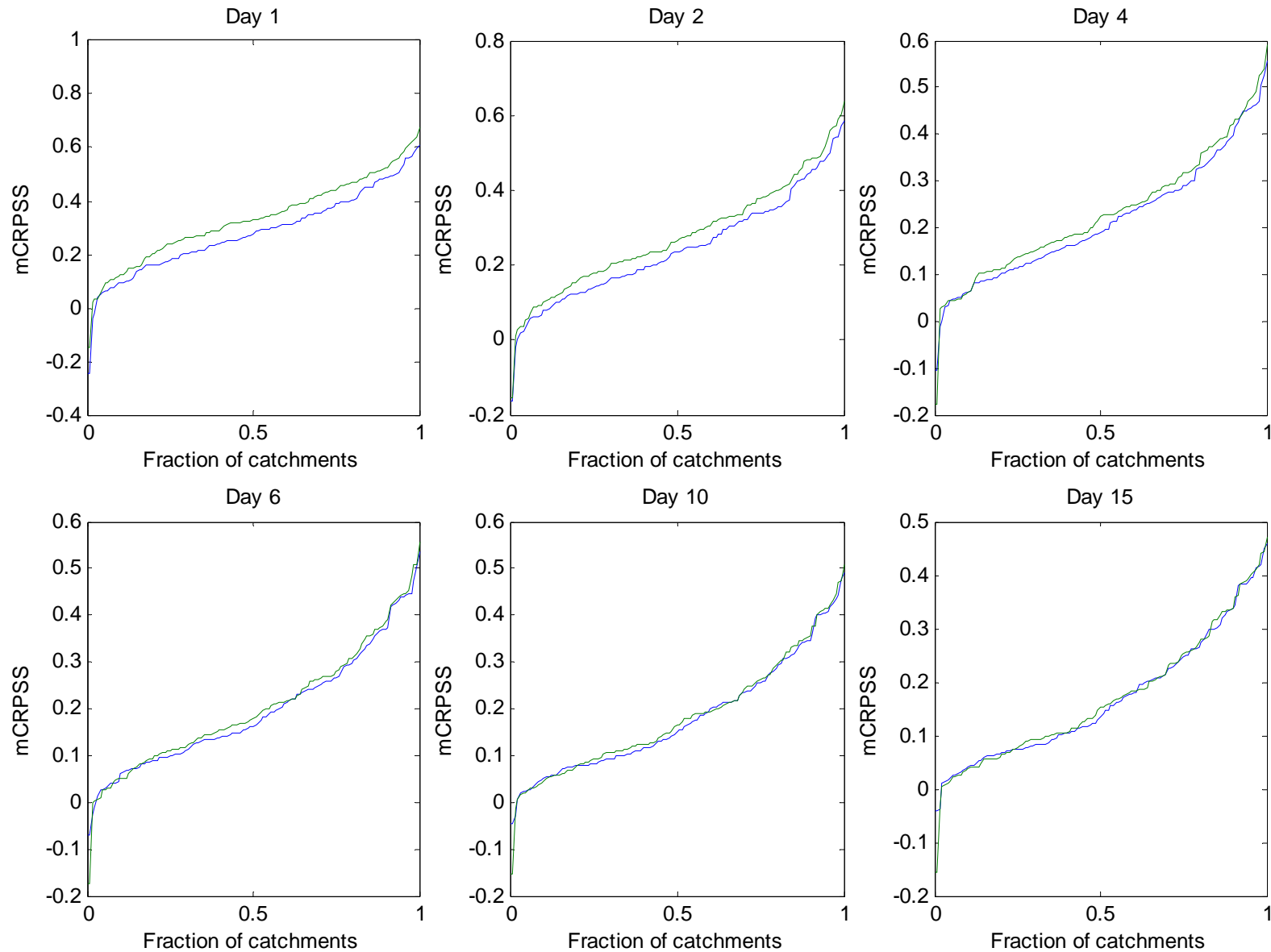


Water Information
DATA • INFORMATION • INSIGHT

National Research
FLAGSHIPS

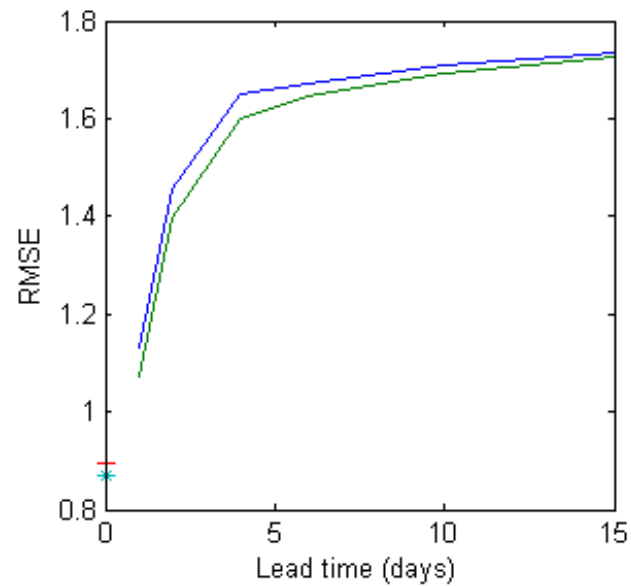
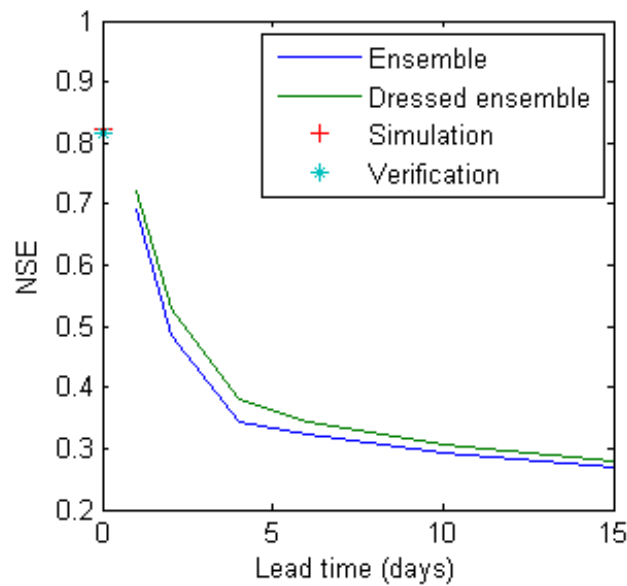


Cont. Rank. Prob Skill Score - 128 catchments

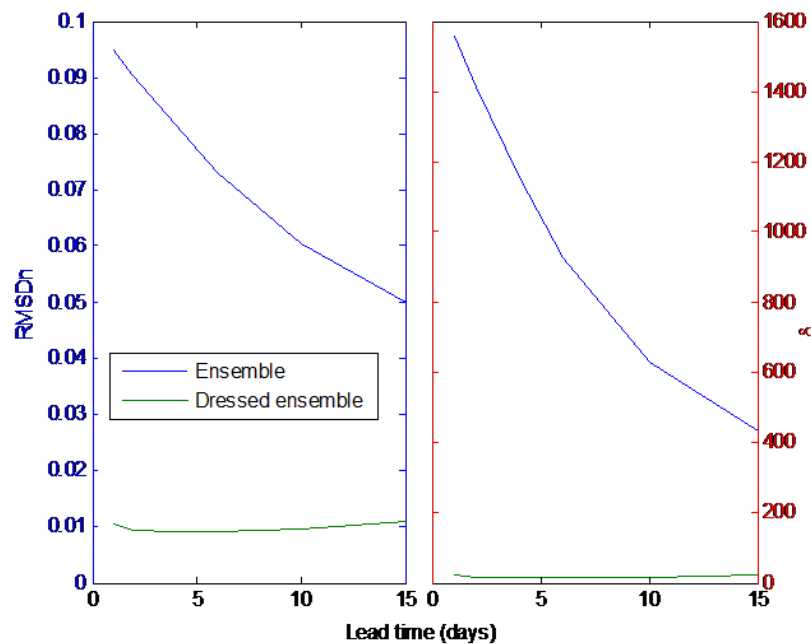
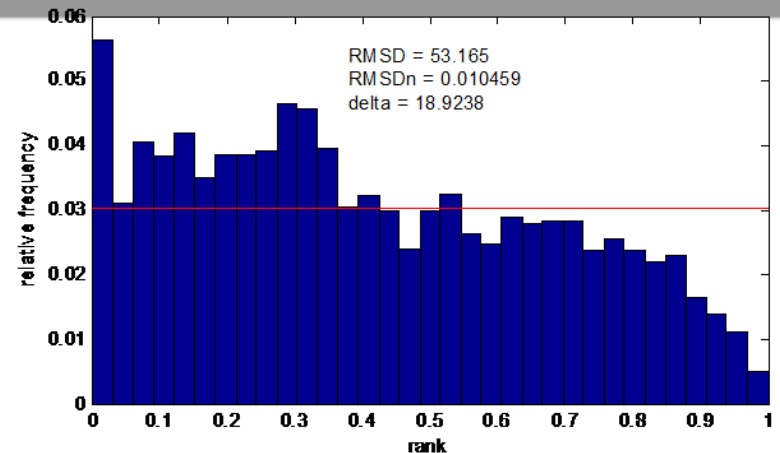
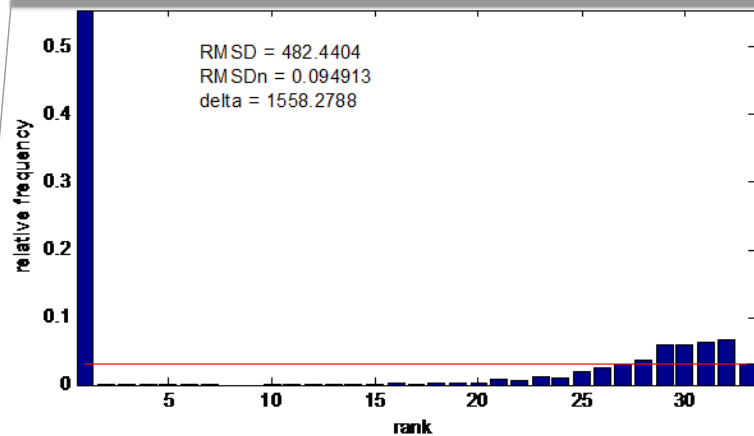


Verification

- Ensemble average skill scores
 - NSE, RMSE



Rank histogram based skill scores



$$\Delta = \sum_{k=1}^{N+1} \left(s_k - \frac{M}{N+1} \right)^2$$

$$\Delta_n = \sum_{k=1}^{N+1} \left(\frac{s_k}{M} - \frac{1}{N+1} \right)^2$$

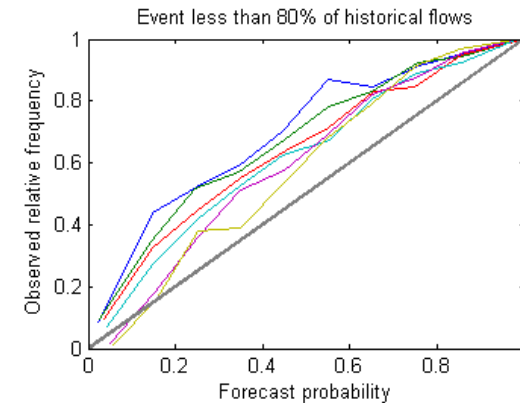
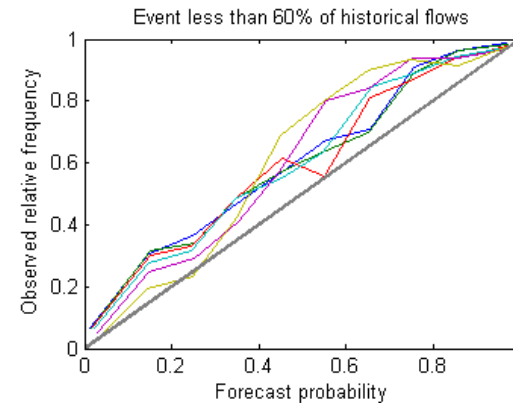
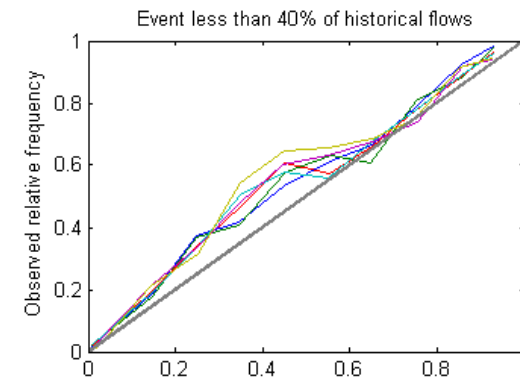
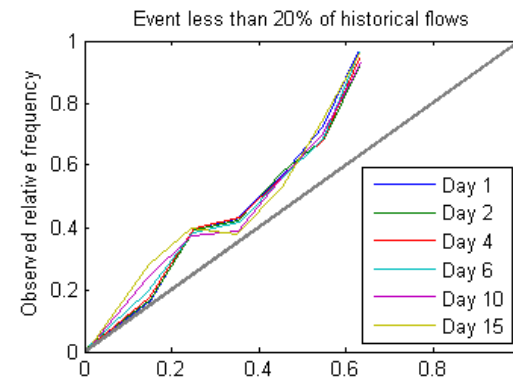
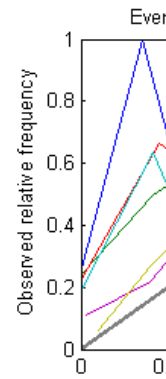
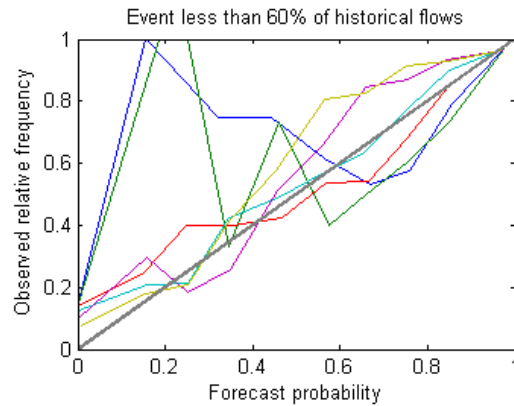
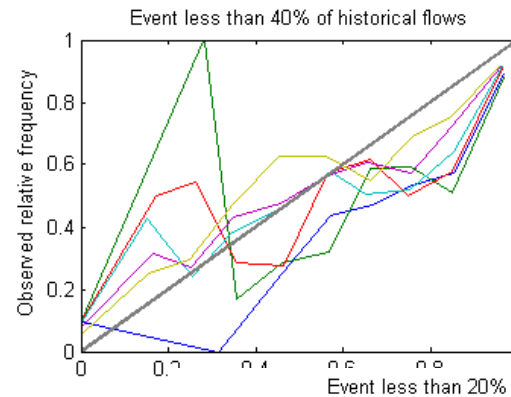
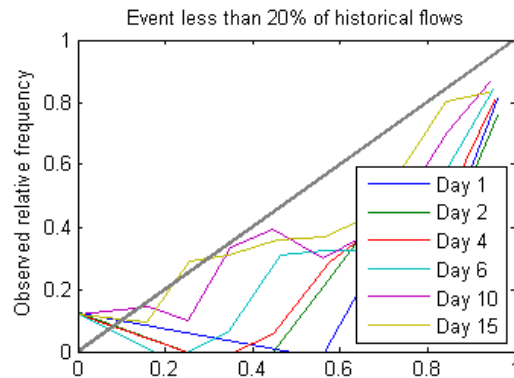
$$\text{RMSD} = \sqrt{\frac{1}{N+1} \Delta}$$

$$\text{RMSD}_n = \sqrt{\frac{1}{N+1} \Delta_n}$$

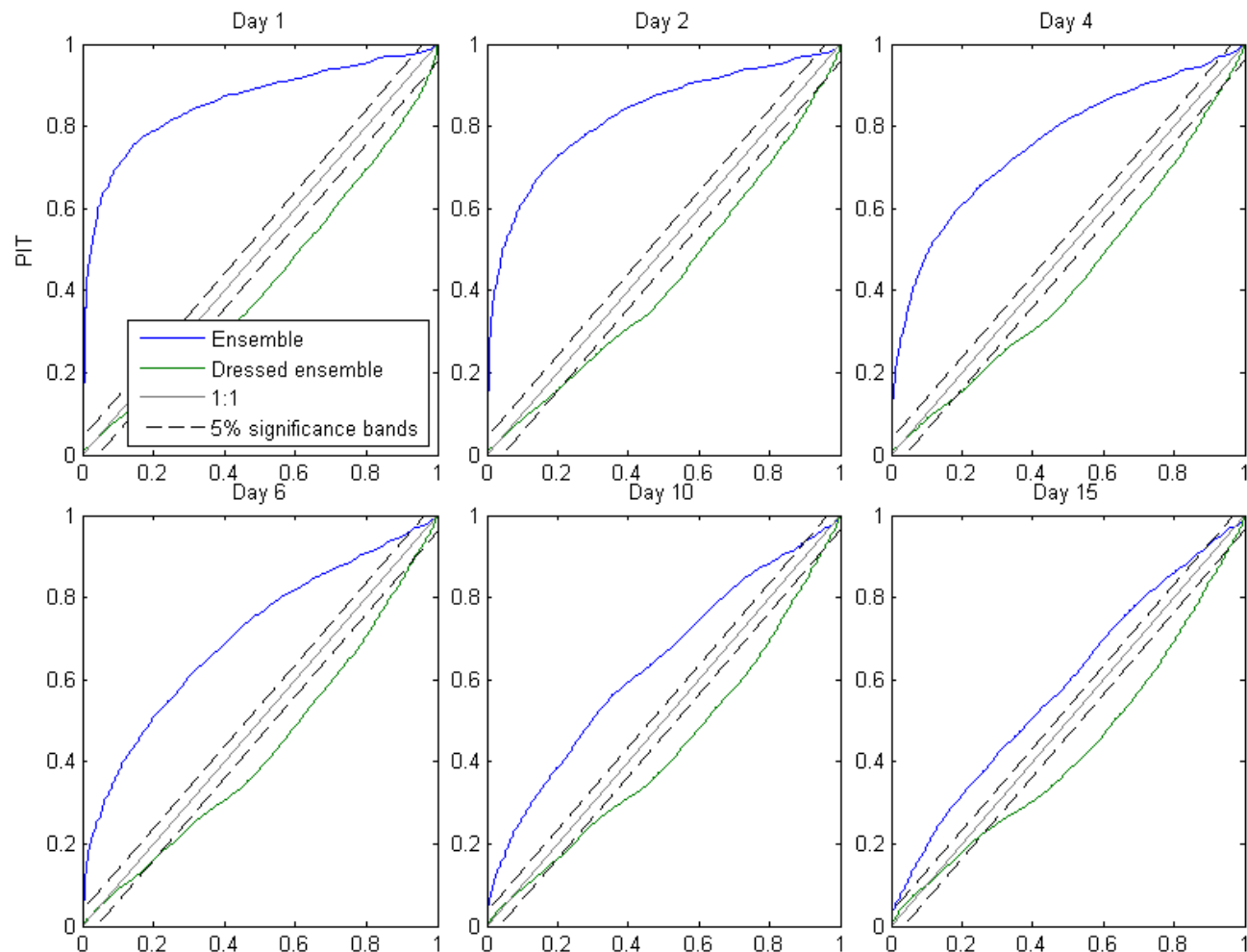
$$\Delta_0 = \frac{MN}{N+1}$$

$$\delta = \Delta / \Delta_0$$

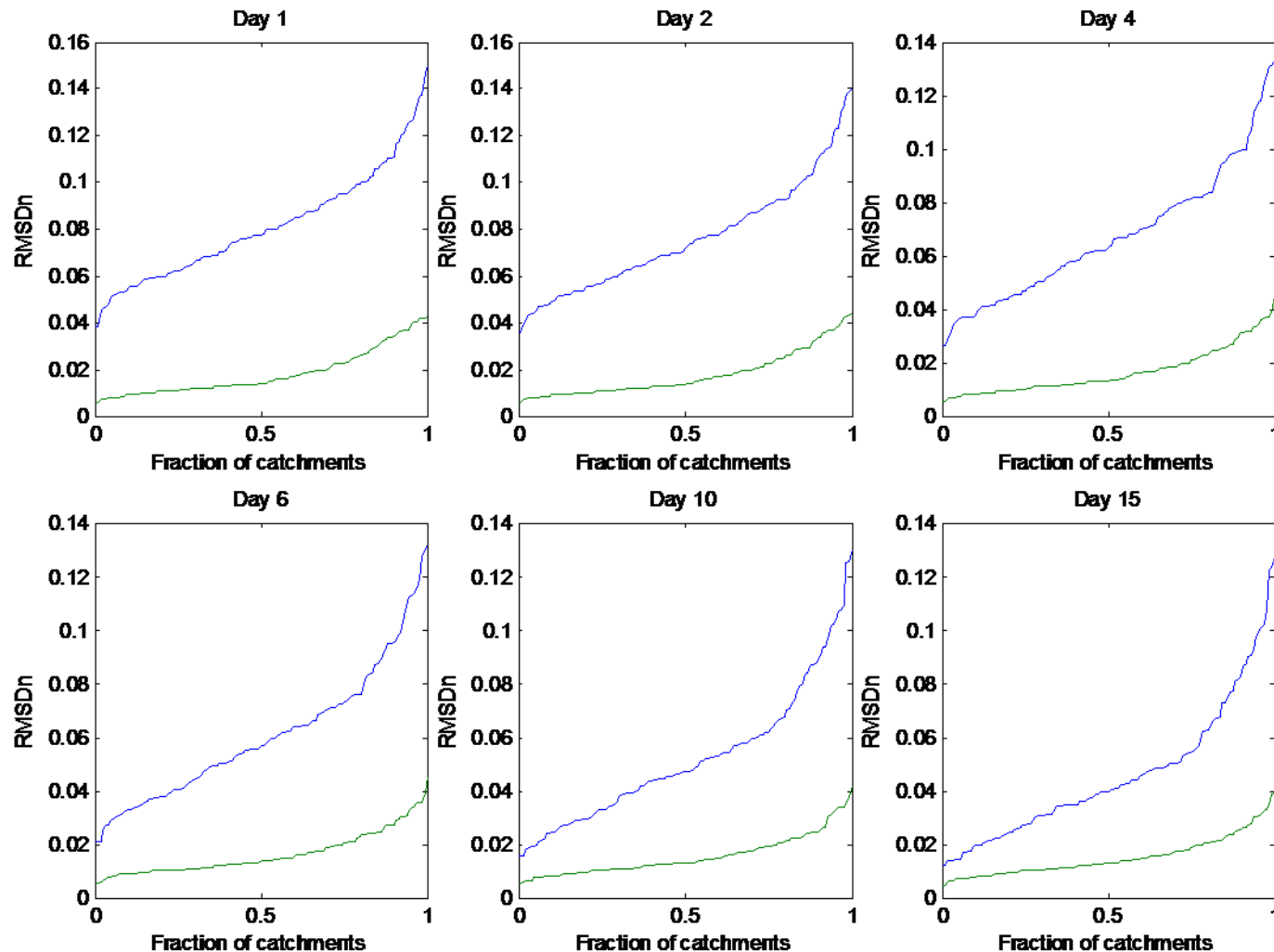
Reliability diagrams



PIT Plots



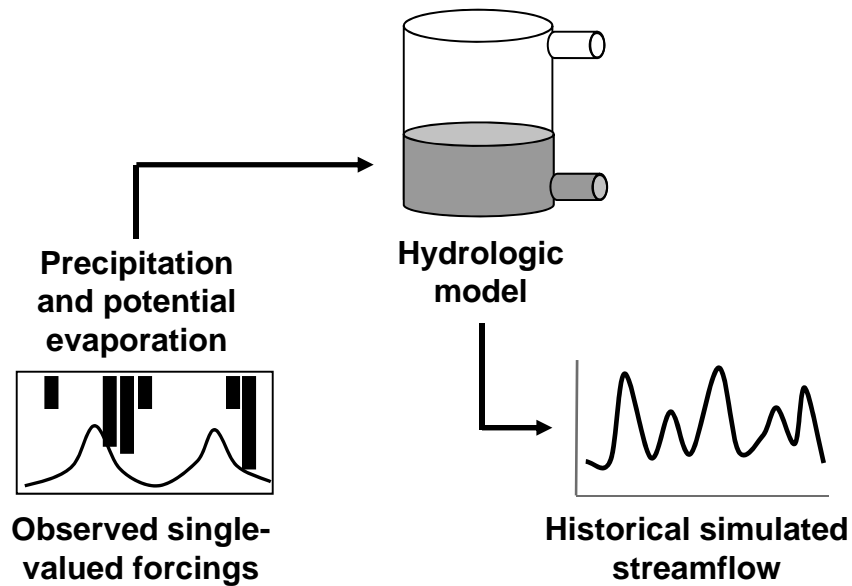
Flatness of rank histogram – 128 catchments



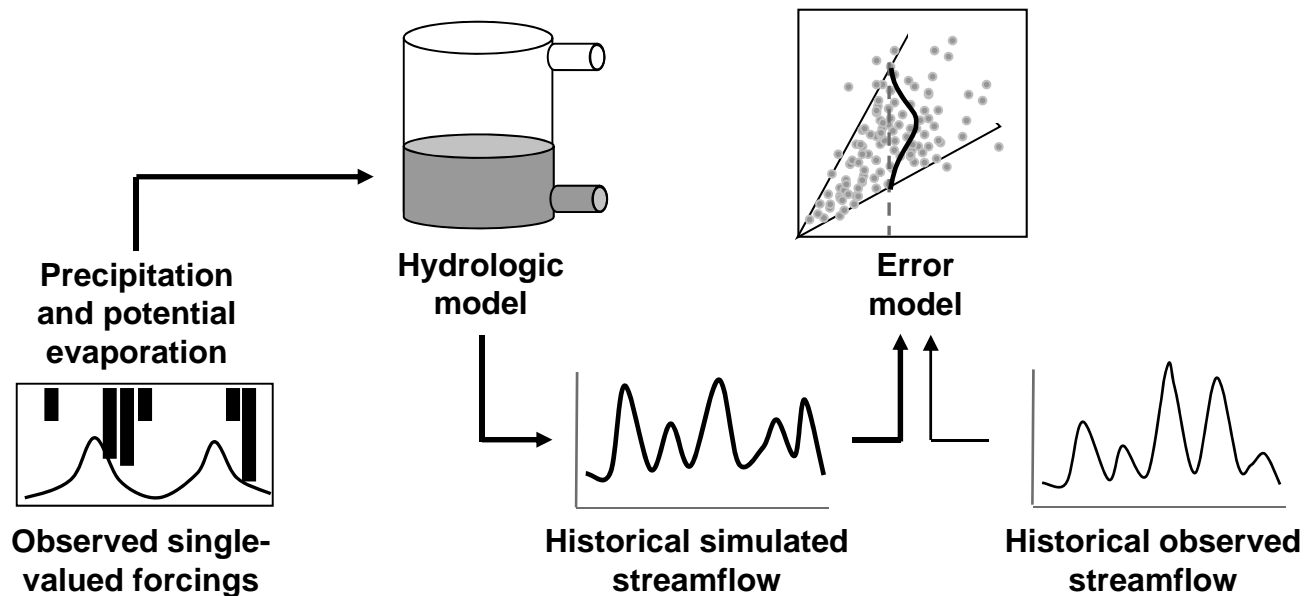
Conclusions

- The ensemble dressed forecasts are verified with various ensemble verification metrics, such as the continuous ranked probability score, rank histograms and attributes diagrams.
- The results demonstrate that ensemble dressed forecasts are more skilful and reliable than the undressed ensembles.
- This technique fills a gap by proposing an ensemble post-processing technique that considers multiple sources of uncertainty while requiring only minimal computational resources.
- This method would be well suited for operational forecasting

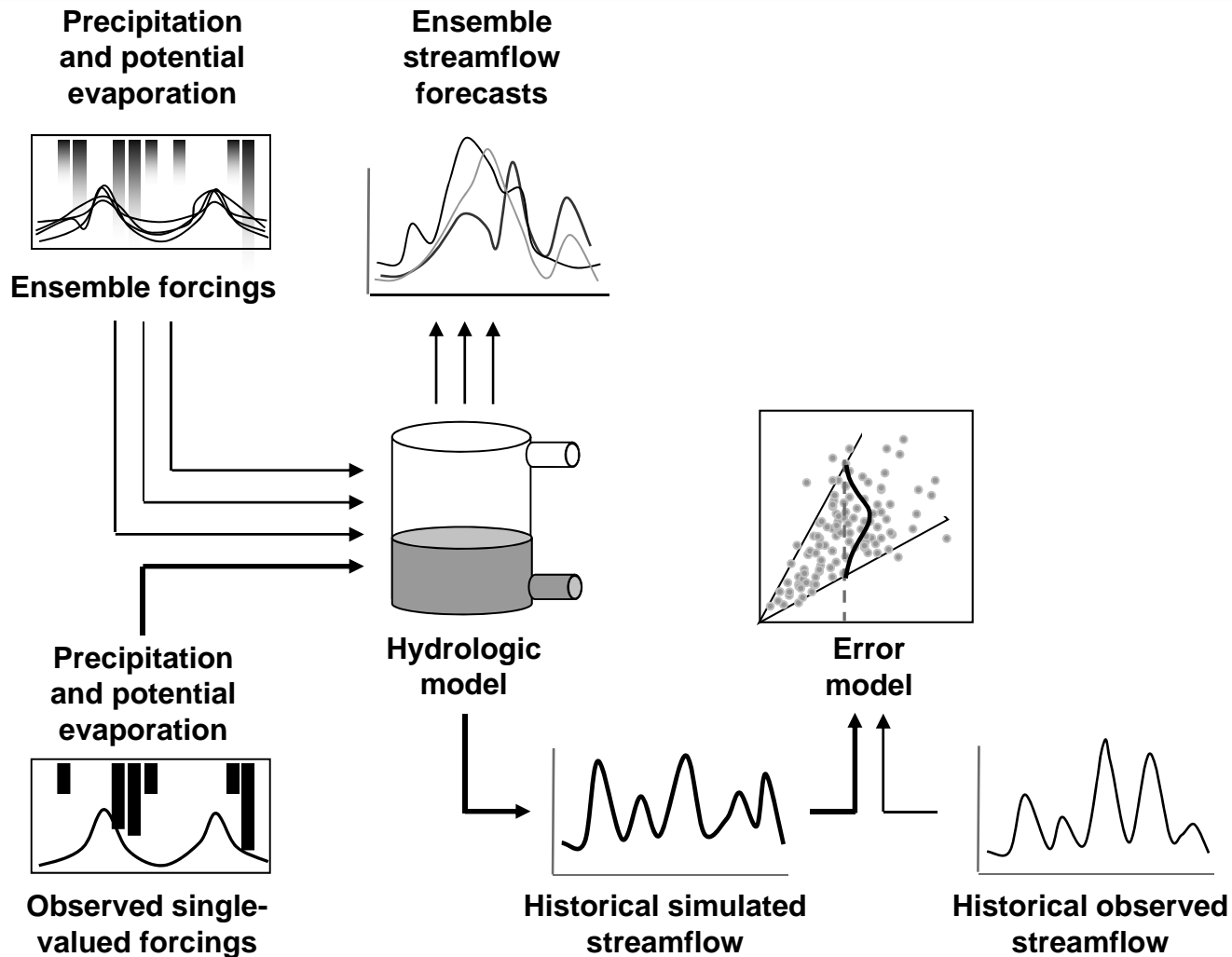
The total system



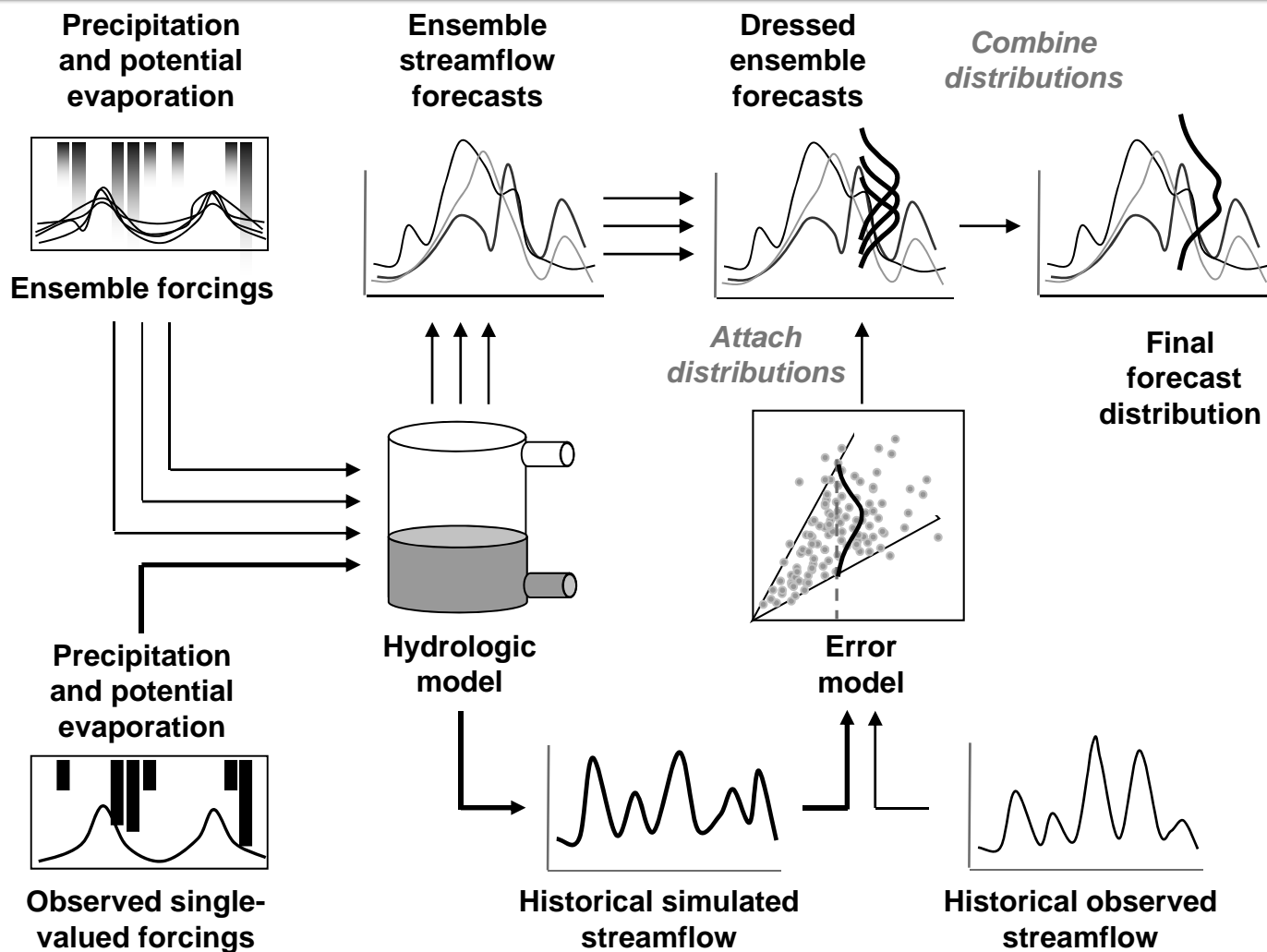
The total system



The total system



The total system



Examples of dressed ensemble forecasts

