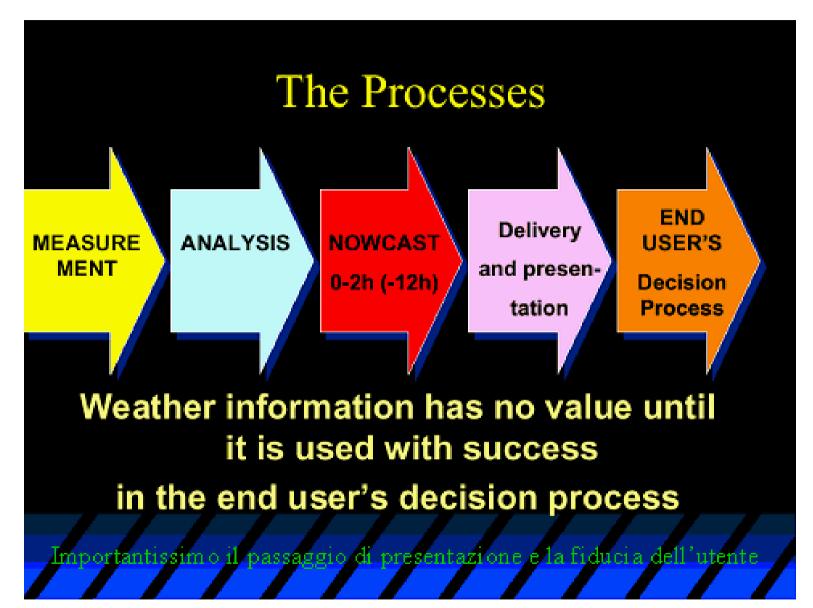
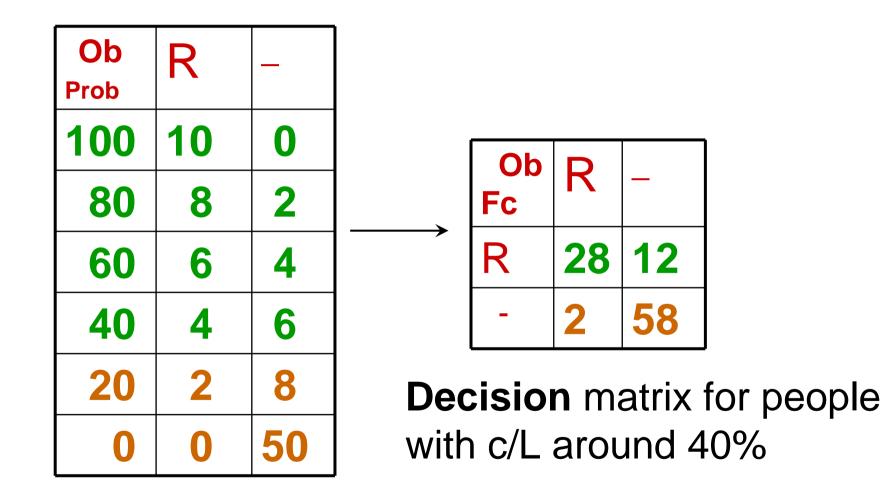
IV Use of probabilities

2. Some complications in the decision process



IV.2.1 The rationale to deterministically overforecast weather events

Full probability distribution (no particular bias)



This is the same as if they had been given these deterministic forecasts directly



Since most people's cost/loss ratios lie below 40% a certain degree of over forecasting is unavoidable (necessary).

IV.2.2 Demand induced biases in the weather forecasts?

Up to 1896 the U. S. Weather Bureau supplied the New York Times with weather forecasts





Bologna 9-13 February 2015

The great public baseball favourites in the 1890's were **The New York Giants**



In the paper

"TELL ALL THE TRUTH, BUT TELL IT SLANT" - Testing models of media bias

http://sites.duke.edu/sarahtaylor/files/2014/10/Raymond-and-Taylor-Media-Bias.pdf

Collin Raymond at the University of Oxford and Sarah Taylor at Duke University

show that the weather forecasts to the New Yorkers in the late 1890's were biased according to the home matches of "The New York Giants"

1890 – May 1896

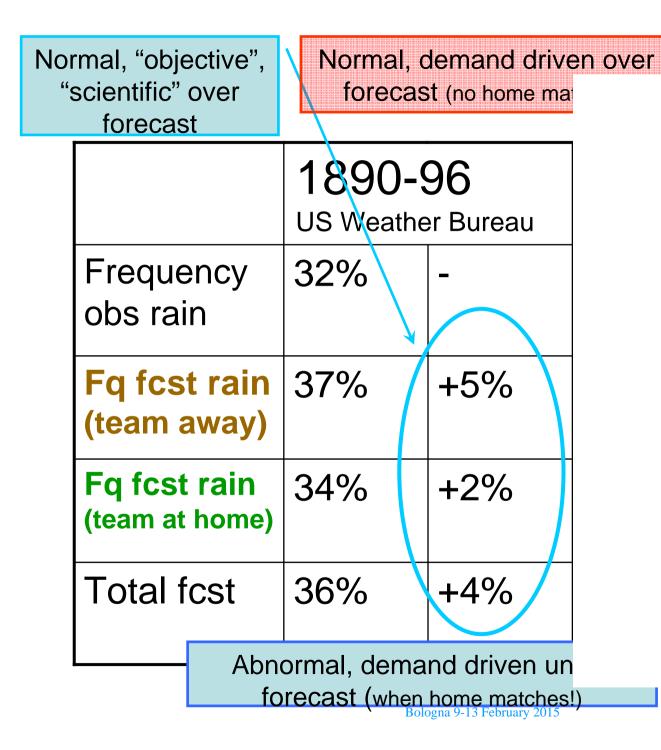
Away	Obs rain	Obs sun	
Fc rain	130	102	232
Fc sun	80	319	399
	210	421	-

June 1896-99



Home	Obs rain	Obs sun	
Fc rain	81	67	148
Fc sun	46	239	285

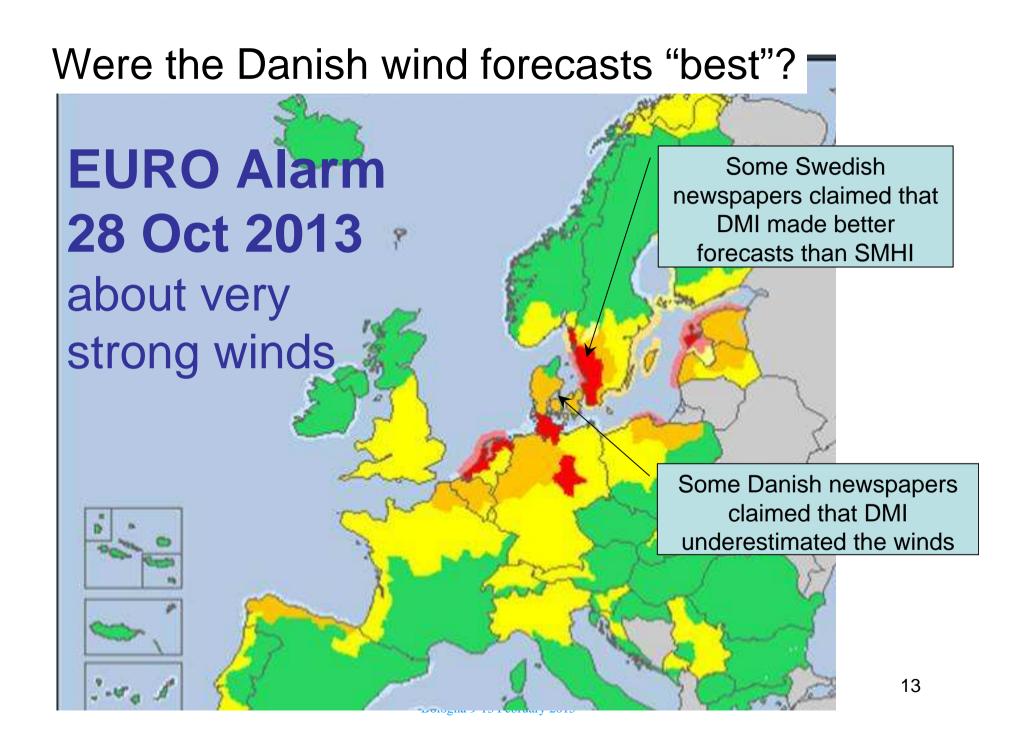
Home	Obs rain	Obs sun	
Fc rain	42	39	81
Fc sun	36	148	184

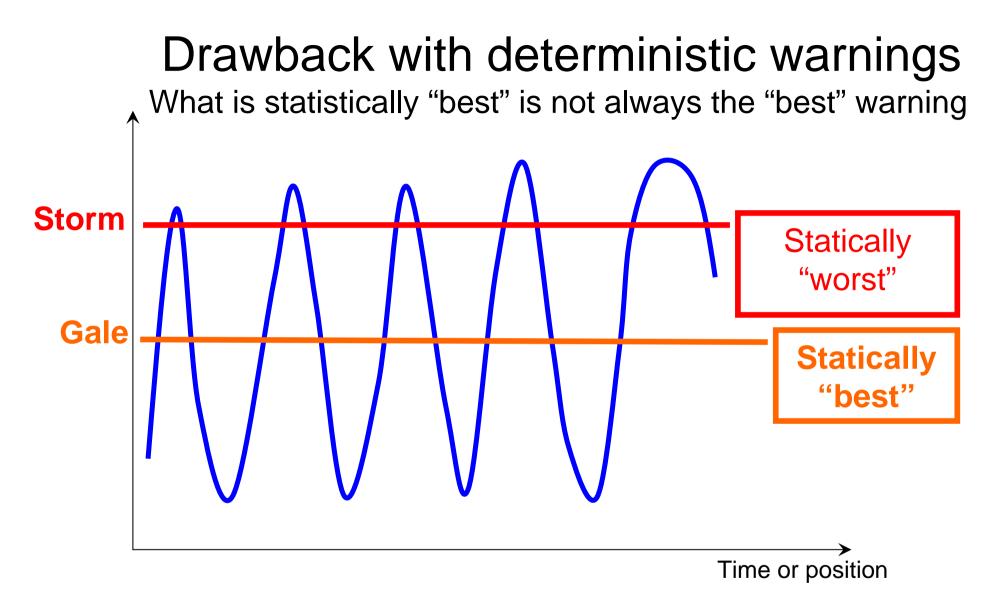


The bias of under-predicting rain (over-predicting sunshine) was more pronounced when "The New York Giants" had a good baseball season and less pronounced when they had a bad baseball season.

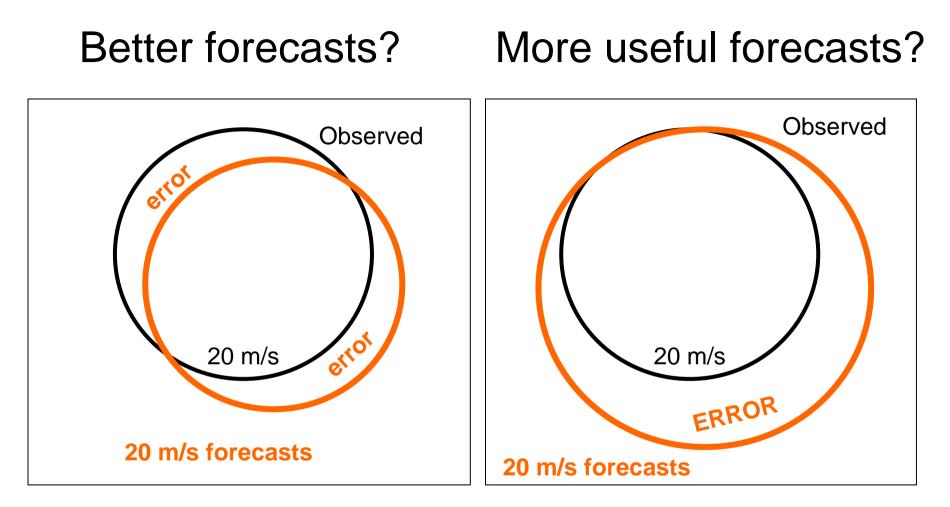
> When supporters were more keen to watch them

When supporters were less keen to watch them

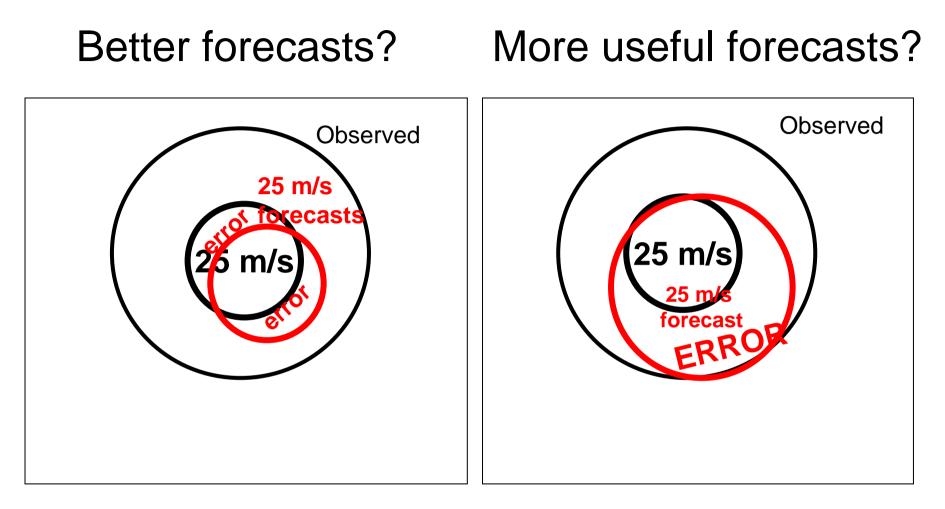




Recommended: 20% risk of storm (in time or location)



No over-forecasting: Assumes a missed event is as bad as a false alarm Over-forecasting: Assumes a missed event is much worse than a false alarm



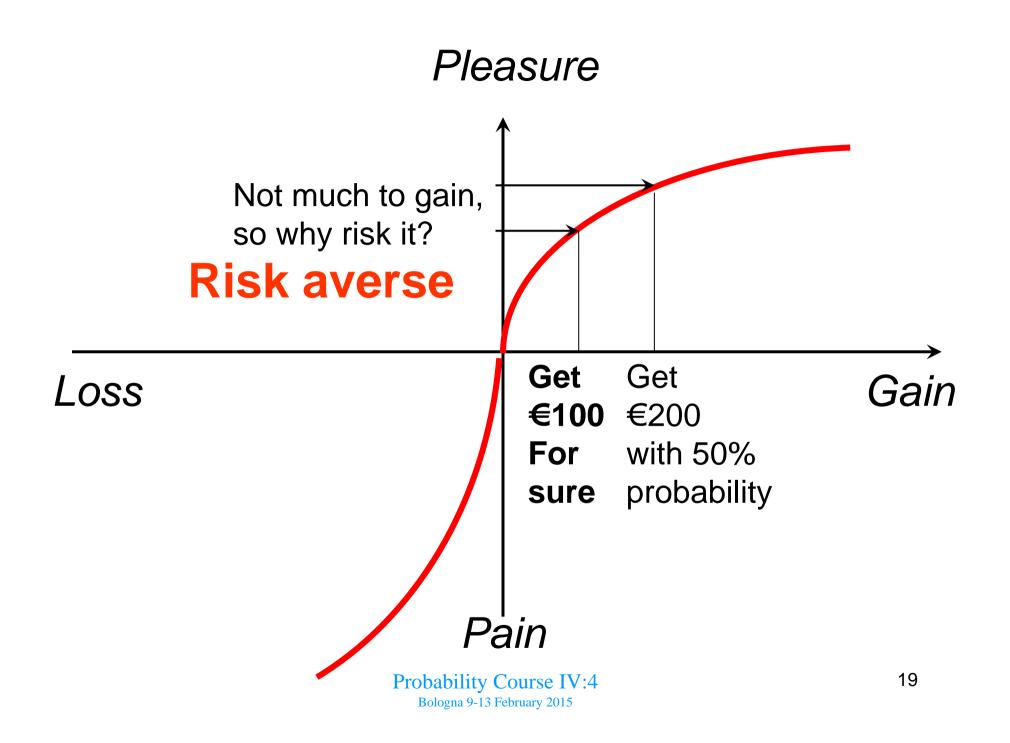
No over-forecasting: Assumes a missed event is as bad as a false alarm <u>Over-forecasting:</u> Assumes a missed event is much worse than a false alarm

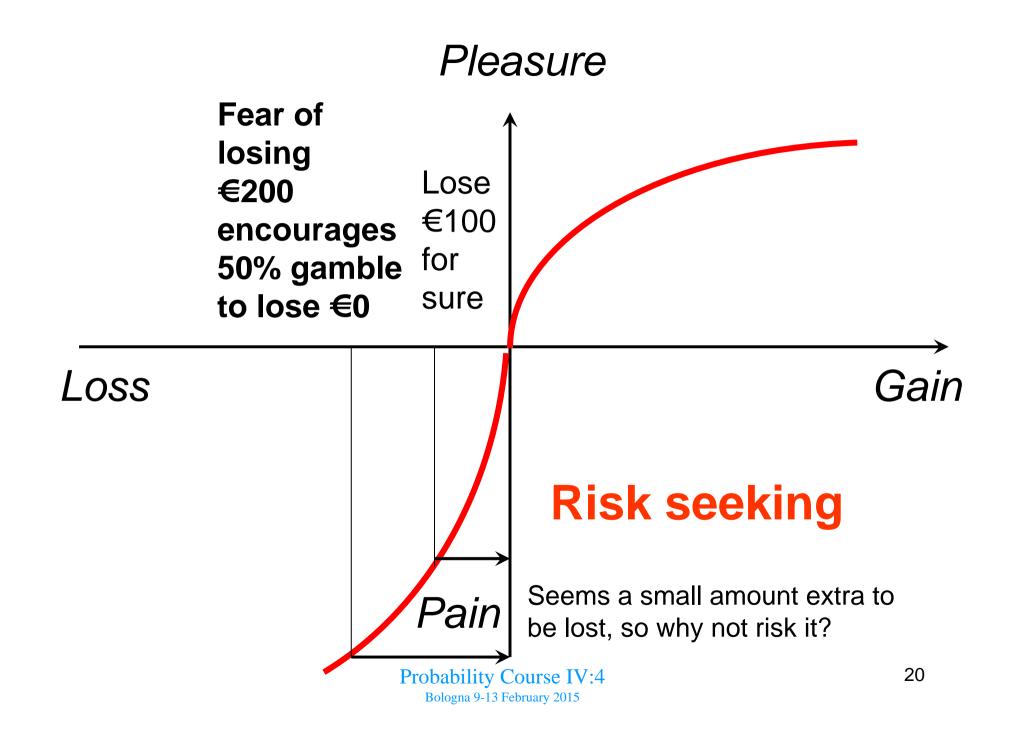
IV.2.3. Do we really obey the cost-loss model?

-What do you prefer?

-An 80% <u>chance</u> of winning € 1000 or -Get € 700 <u>directly</u> in your hand?

According to the cost-loss model, the first alternative is to be preferred ($\in 800 > \notin 700$) However, most people, even professors in mathematical statistics, would take the $\notin 700$





<u>Consequences for the cost-loss model</u> with a user with c/L-ratio 0.5

-Lose \in 500 <u>for sure</u> by protecting or a forecast 50% chance of losing \in 1000 or <u>nothing at all</u>? People tend to be <u>risk seeking</u> and choose the later ...which means they tend to neglect weather forecasts!

-Lose \in 500 <u>for sure</u> by protecting or a forecast 80% chance of losing \in 1000 or <u>nothing at all</u>? People tend to be <u>risk avoiding</u> and choose the former ...which means they tend to prefer confident weather forecasts!

IV.2.4 The 2005 Trento dice game



From the 2005 Trento course



- 1. A separate die is cast to define the probability of rain
- 2. It can be 16%, 33%, 50%, 67% or 83% (never 0% and 100%)
- 3. The participants can insure themselves against the weather
- 4. A die with the corresponding proportion of rain and sun is cast
- 5. With the **sun** coming up nobody loses, with **rain** those who have not insured

END